



Innovative rules in Eurocode 3

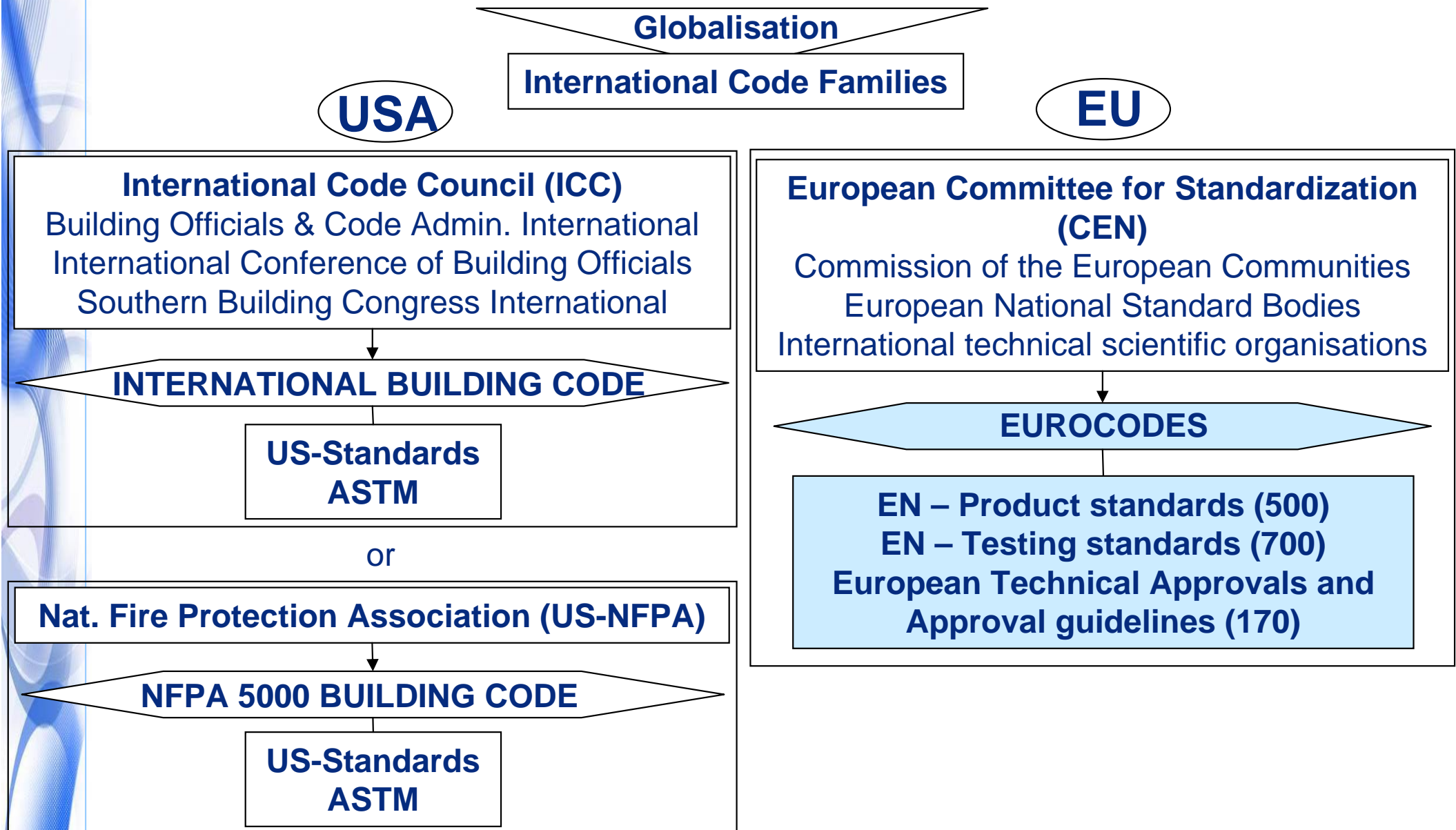
Gerhard Sedlacek
Christian Müller
RWTH Aachen

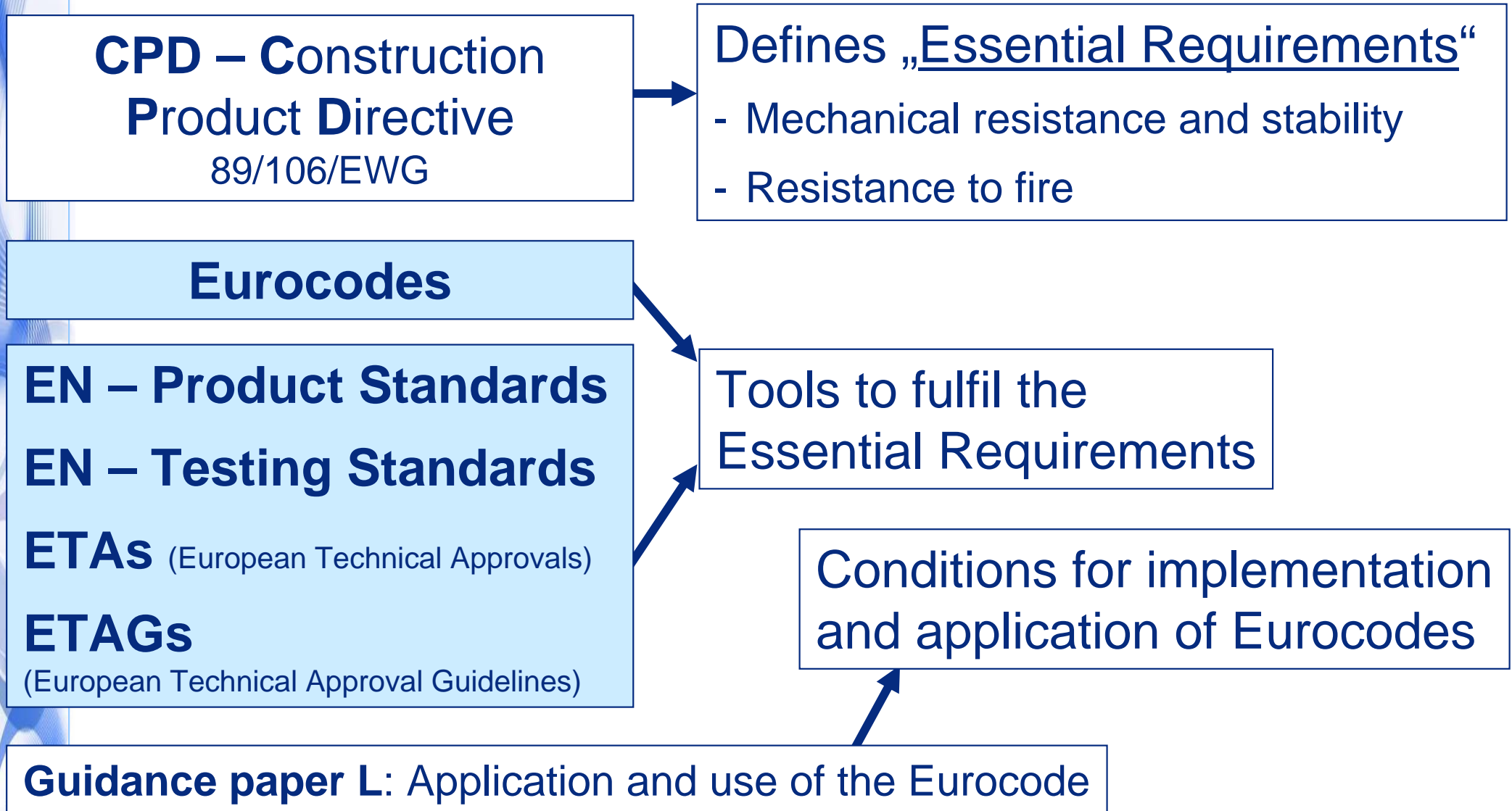


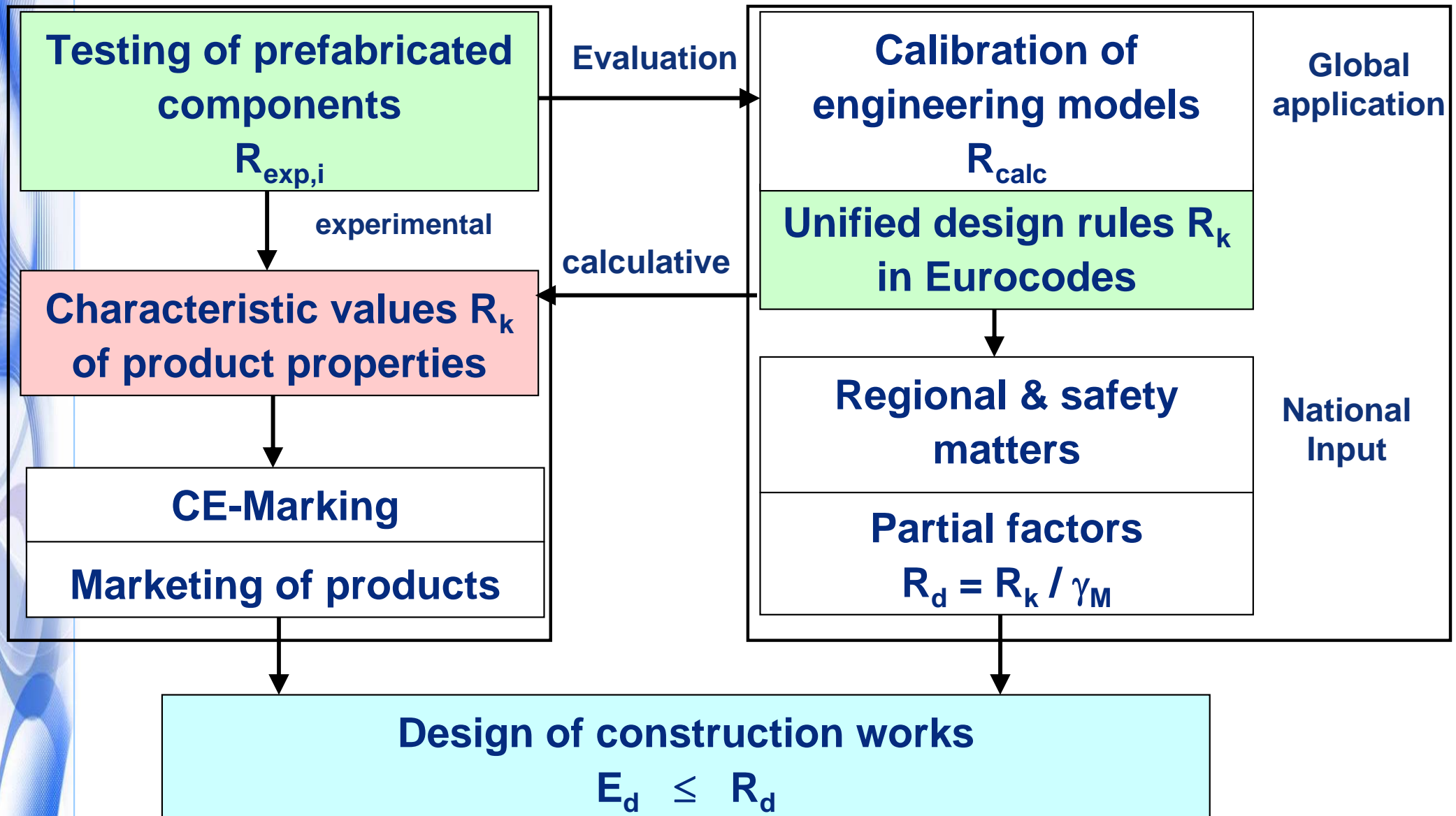
- **General**
- **Actions**
- **Resistances**
- **Brittle failure**
- **Connections**
- **Stability**
- **New developments**

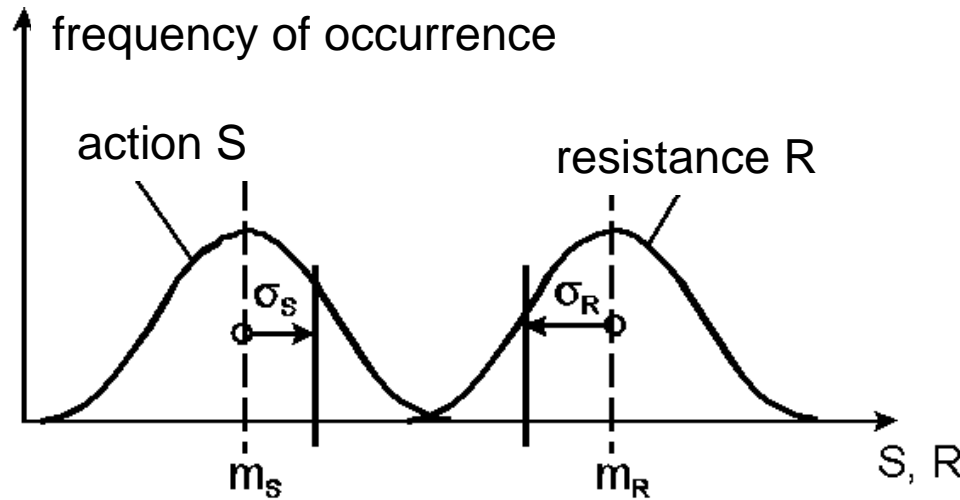
EN 1990 - Basis of design

<p>EN 1991 Actions</p> <p>EN 1991-1-1 Selfweight – imposed loads</p> <p>EN 1991-1-2 Fire</p> <p>EN 1991-1-3 Snow</p> <p>EN 1991-1-4 Wind</p> <p>EN 1991-1-5 Temperature</p> <p>EN 1991-1-6 Construction</p> <p>EN 1991-1-7 Accidental</p> <p>EN 1991-2 Traffic on bridges</p> <p>EN 1991-3 Actions from cranes</p> <p>EN 1991-4 Actions in silos, tanks</p>	<p>EN 1992 Concrete</p>		
<p>EN 1997 Geotechnical design</p>	<table border="1"> <tr> <td> <p>EN 1993-1 Steel – generic</p> <p>EN 1993-1-1 General and buildings</p> <p>EN 1993-1-2 Fire</p> <p>EN 1993-1-3 Thin gauge</p> <p>EN 1993-1-4 Stainless steel</p> <p>EN 1993-1-5 Plate buckling</p> <p>EN 1993-1-6 Shells</p> <p>EN 1993-1-7 Plates and membranes</p> <p>EN 1993-1-8 Connections</p> </td> <td> <p>EN 1993-1-9 Fatigue</p> <p>EN 1993-1-10 Fracture</p> <p>EN 1993-1-11 Tension elements</p> <p>EN 1993-1-12 High strength steels</p> <p>EN 1993-2 Bridges</p> <p>EN 1993-3 Masts and towers</p> <p>EN 1993-4 Silos, tanks, pipelines</p> <p>EN 1993-5 Steel piles</p> <p>EN 1993-6 Crane supporting structures</p> </td> </tr> </table>	<p>EN 1993-1 Steel – generic</p> <p>EN 1993-1-1 General and buildings</p> <p>EN 1993-1-2 Fire</p> <p>EN 1993-1-3 Thin gauge</p> <p>EN 1993-1-4 Stainless steel</p> <p>EN 1993-1-5 Plate buckling</p> <p>EN 1993-1-6 Shells</p> <p>EN 1993-1-7 Plates and membranes</p> <p>EN 1993-1-8 Connections</p>	<p>EN 1993-1-9 Fatigue</p> <p>EN 1993-1-10 Fracture</p> <p>EN 1993-1-11 Tension elements</p> <p>EN 1993-1-12 High strength steels</p> <p>EN 1993-2 Bridges</p> <p>EN 1993-3 Masts and towers</p> <p>EN 1993-4 Silos, tanks, pipelines</p> <p>EN 1993-5 Steel piles</p> <p>EN 1993-6 Crane supporting structures</p>
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<p>EN 1998 Seismic actions</p>	<table border="1"> <tr> <td> <p>EN 1994-1 General and buildings</p> <p>EN 1994-2 Bridges</p> </td> <td> <p>EN 1998-1 Seismic design and buildings</p> <p>EN 1998-2 Bridges</p> <p>EN 1998-3 Towers and masts</p> <p>EN 1998-4 Tanks and silos</p> </td> </tr> </table>	<p>EN 1994-1 General and buildings</p> <p>EN 1994-2 Bridges</p>	<p>EN 1998-1 Seismic design and buildings</p> <p>EN 1998-2 Bridges</p> <p>EN 1998-3 Towers and masts</p> <p>EN 1998-4 Tanks and silos</p>
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	<p>EN 1999 Aluminium</p>		









dit R

$$\beta = \frac{m_R - m_S}{\sqrt{\sigma_R^2 + \sigma_S^2}} \geq 3,8$$

$$R_d - S_d \geq 0$$

$$S_d = m_S + \frac{\sigma_S}{\sqrt{\sigma_S^2 + \sigma_R^2}} \cdot \beta \cdot \sigma_S$$

$$R_d = m_R - \frac{\sigma_R}{\sqrt{\sigma_S^2 + \sigma_R^2}} \cdot \beta \cdot \sigma_R$$

$$S_d = m_S + \alpha_S \cdot \beta \cdot \sigma_S$$

$$= m_S + 0,7 \cdot \beta \cdot \sigma_S$$

$$R_d = m_R - \alpha_R \cdot \beta \cdot \sigma_R$$

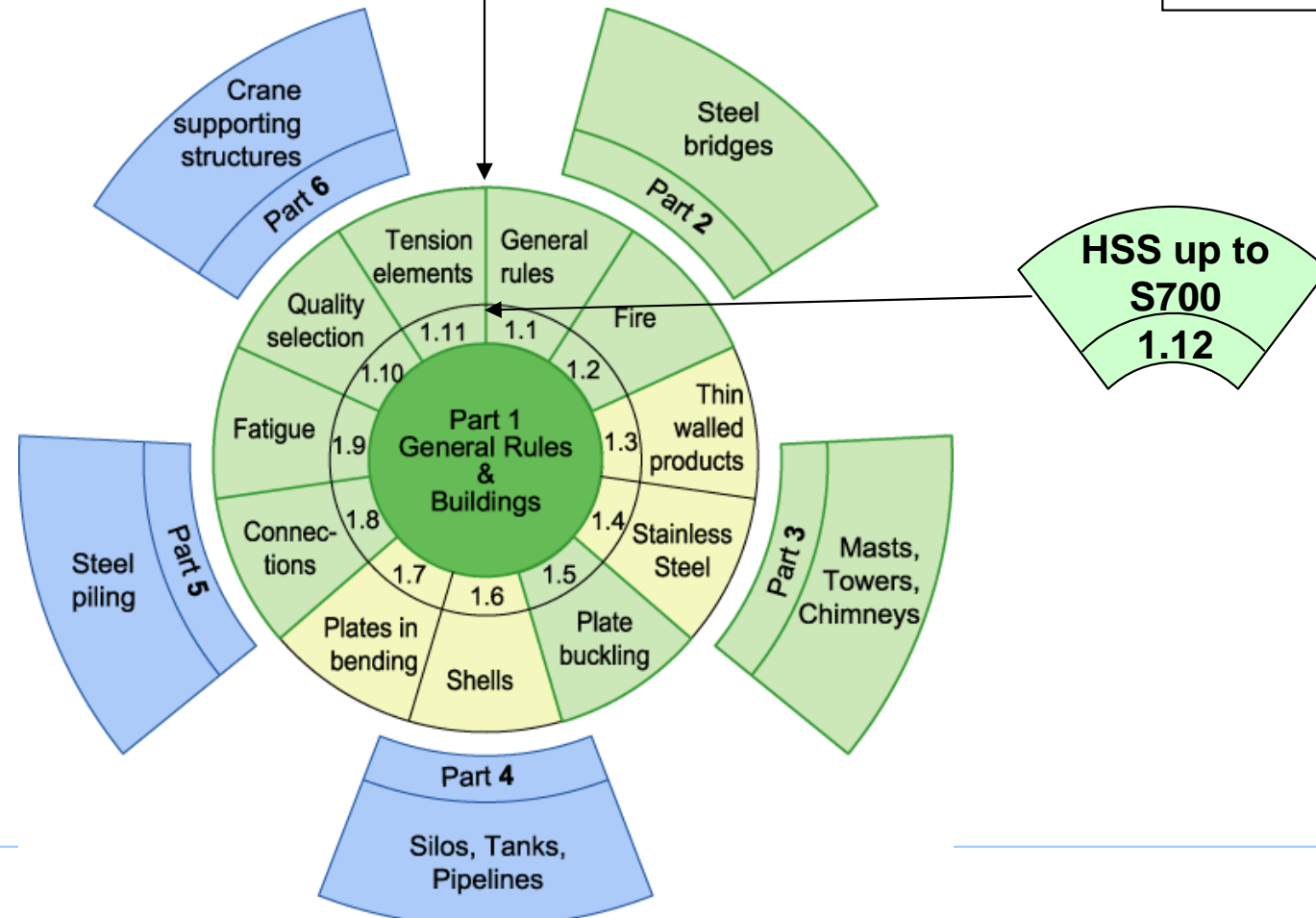
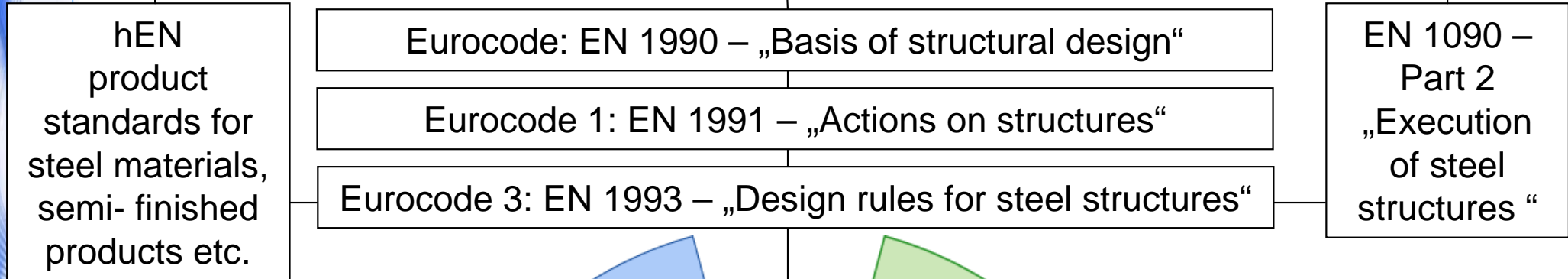
$$= m_R - 0,8 \cdot \beta \cdot \sigma_R$$

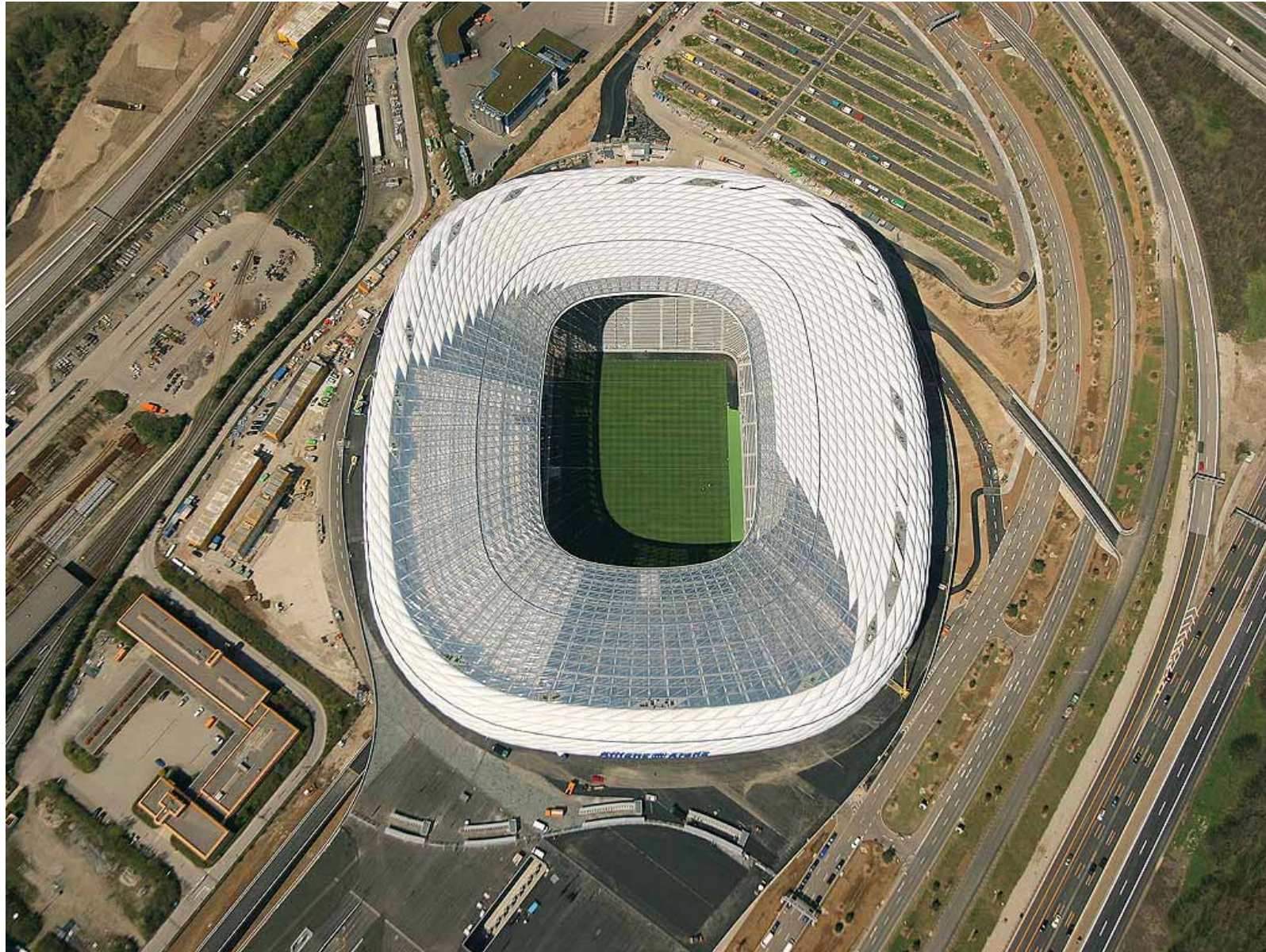
$$R_d = m_R - 3,04 \cdot \sigma_R$$

β = safety index
(reference period: 50 years)

α_i = weighting factors
(required due to mutual influence of S_d and R_d)

EN 1090 – Part 1 „Delivery Conditions for prefabricated steel components“







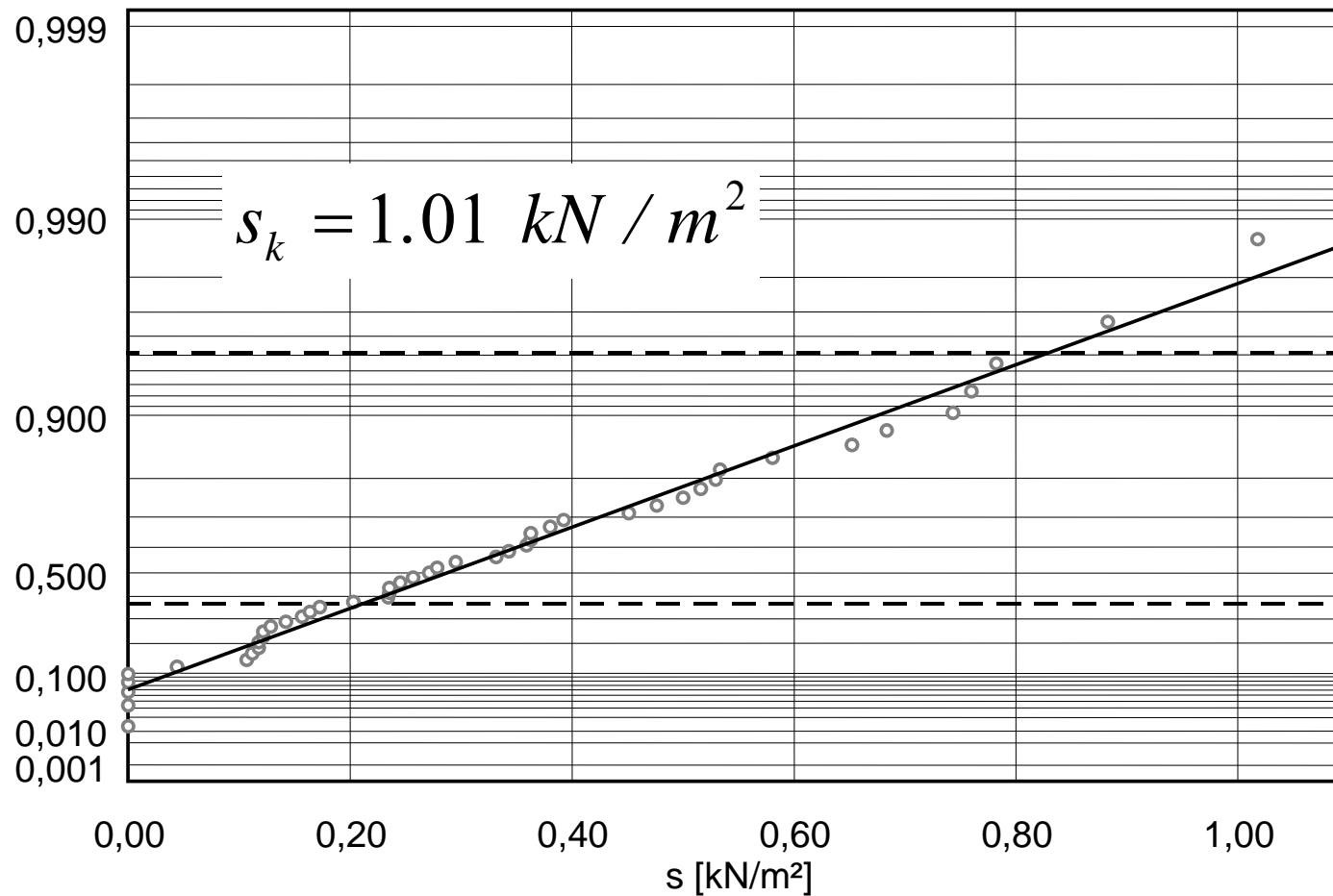
Action	Q_k	Definition	$\gamma_Q = Q_d / Q_k$
Permanent Climatic Traffic	G $s_k, w_k, \Delta T_k$ Q_k	Mean value	1.35
		$T_{\text{return}} = 50$ years	1.50
		$T_{\text{return}} = 1000$ years	1.35
Combination $E(Q_1 + Q_2)$			
Climatic Traffic	$E(s_k - \psi_0 w_k)$ $E(Q_k + \psi_0 w_k)$	$T_{\text{return}} = 50$ years $T_{\text{return}} = 1000$ years	

Snow Load on the Ground

Location Munich-Riem

Annual Extrema on Gumbel paper

Non-exceedance probability



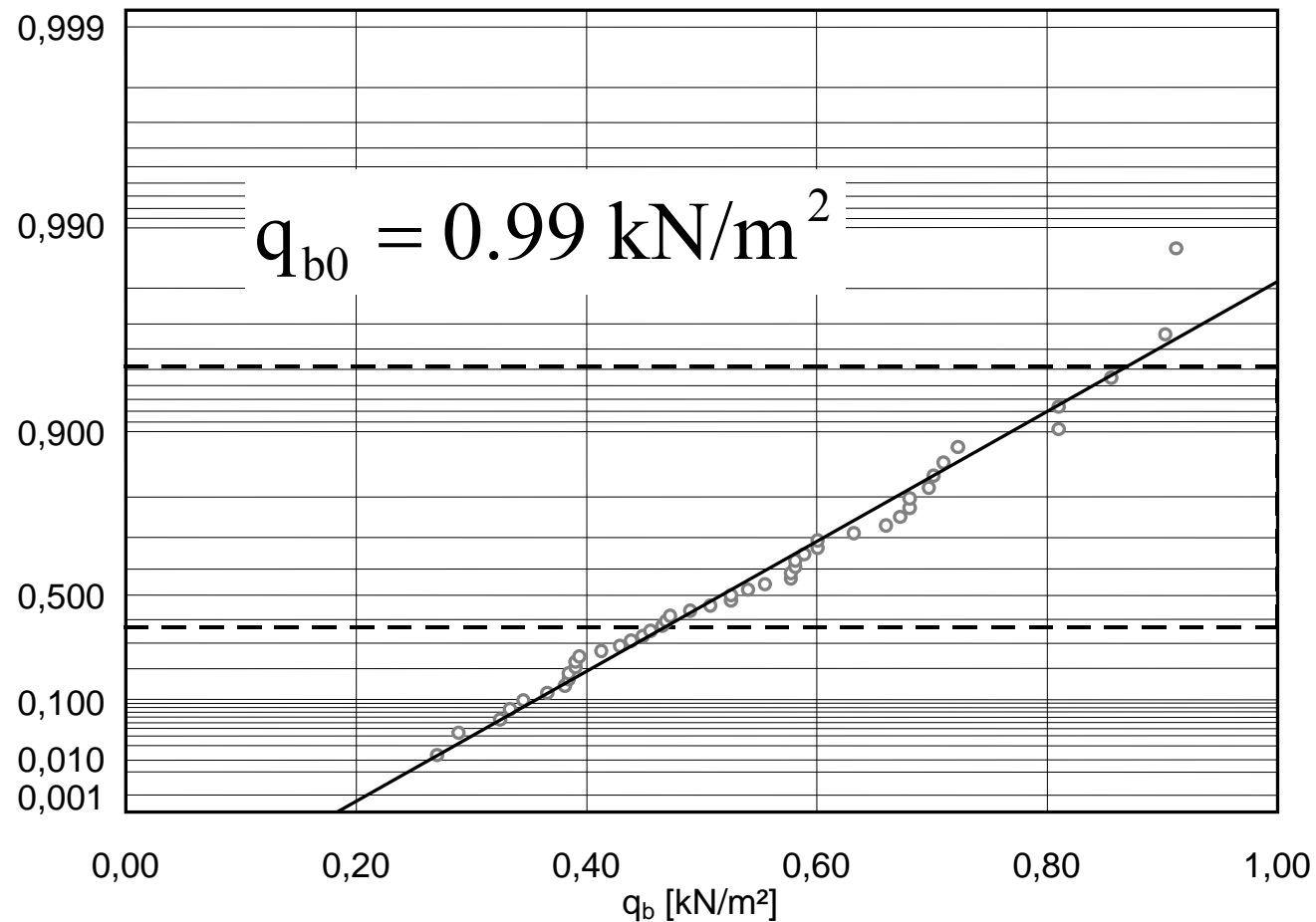


Peak velocity pressure q_b (2 sec)

Location Munich-Riem

Annual extrema (h = 10 m) on Gumbel paper

non-exceedance probability

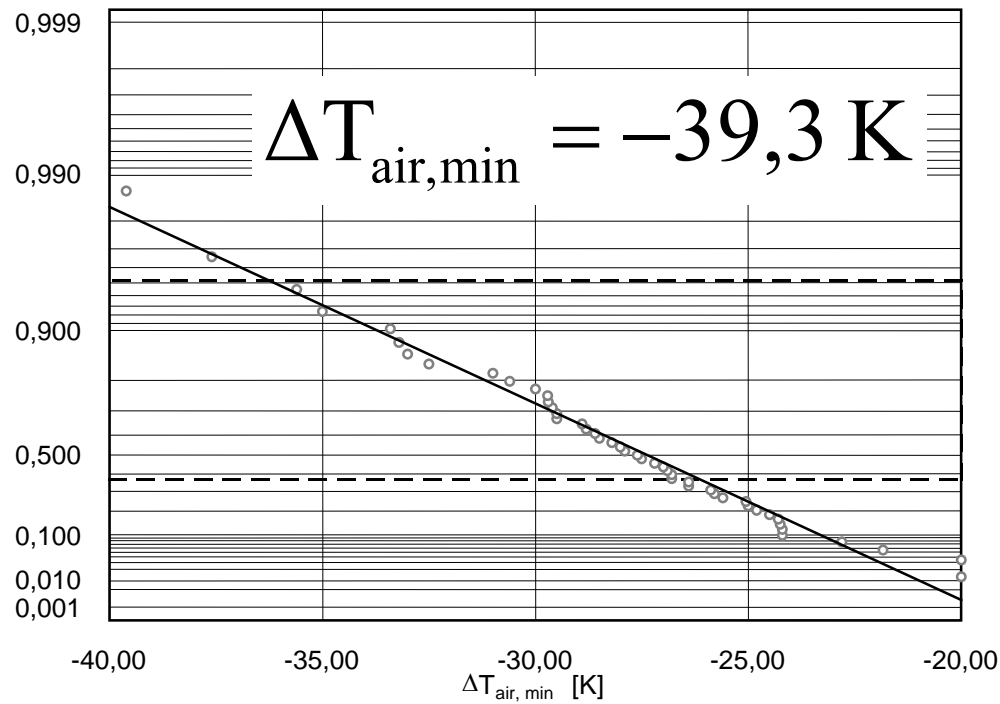


Change of air temperature related to $T_{ref} = 10^{\circ}\text{C}$

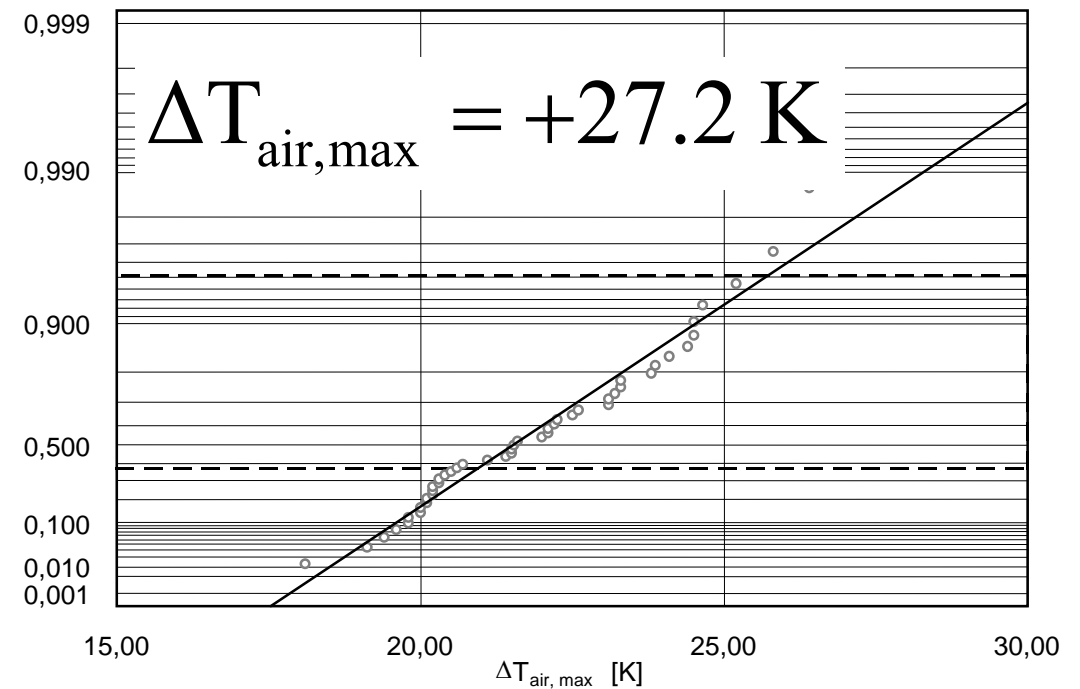
Location Munich-Riem

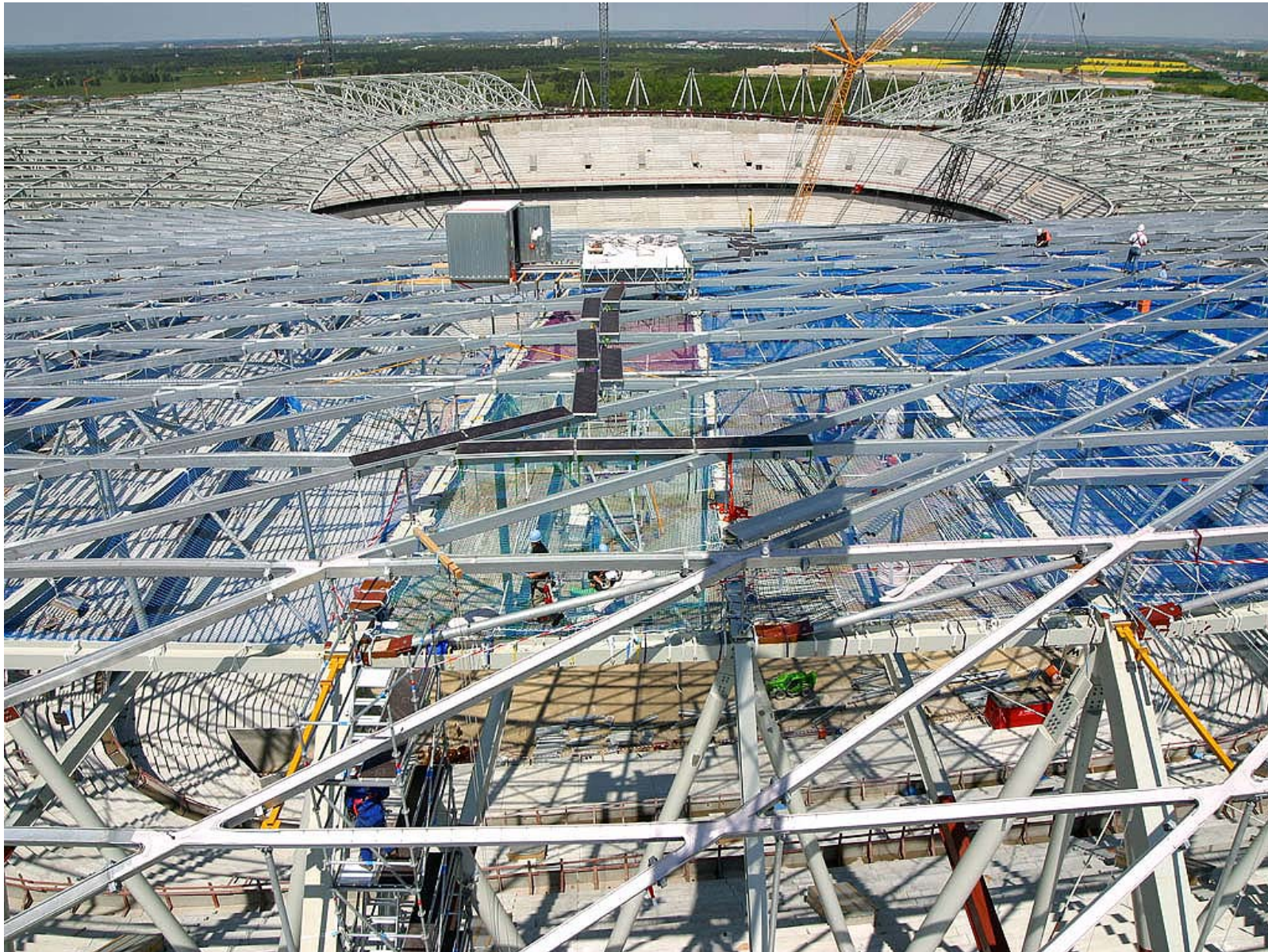
Annual Extrema on Gumbel paper

Non-exceedance probability

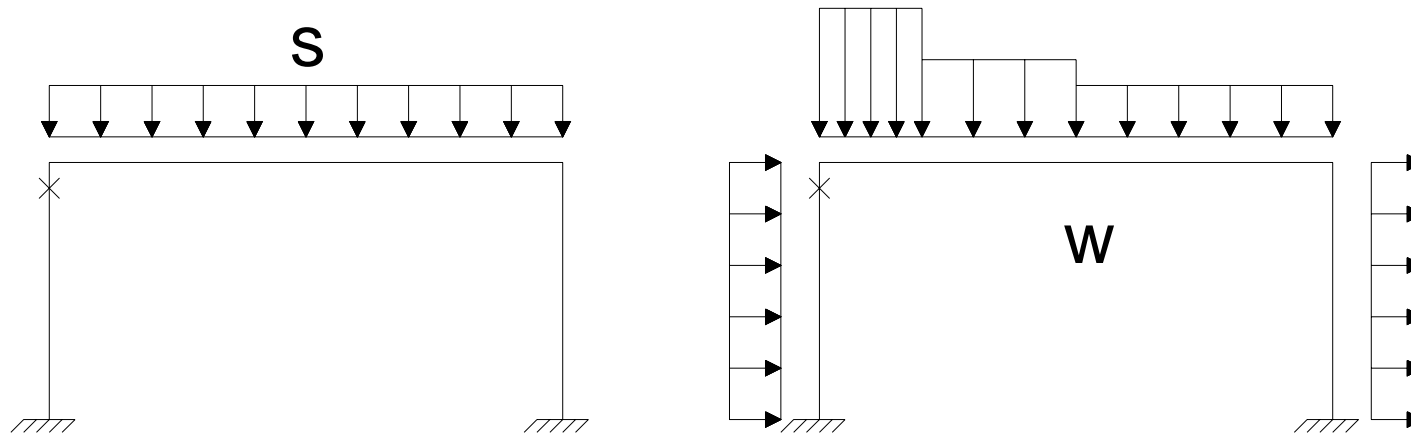


Non-exceedance probability





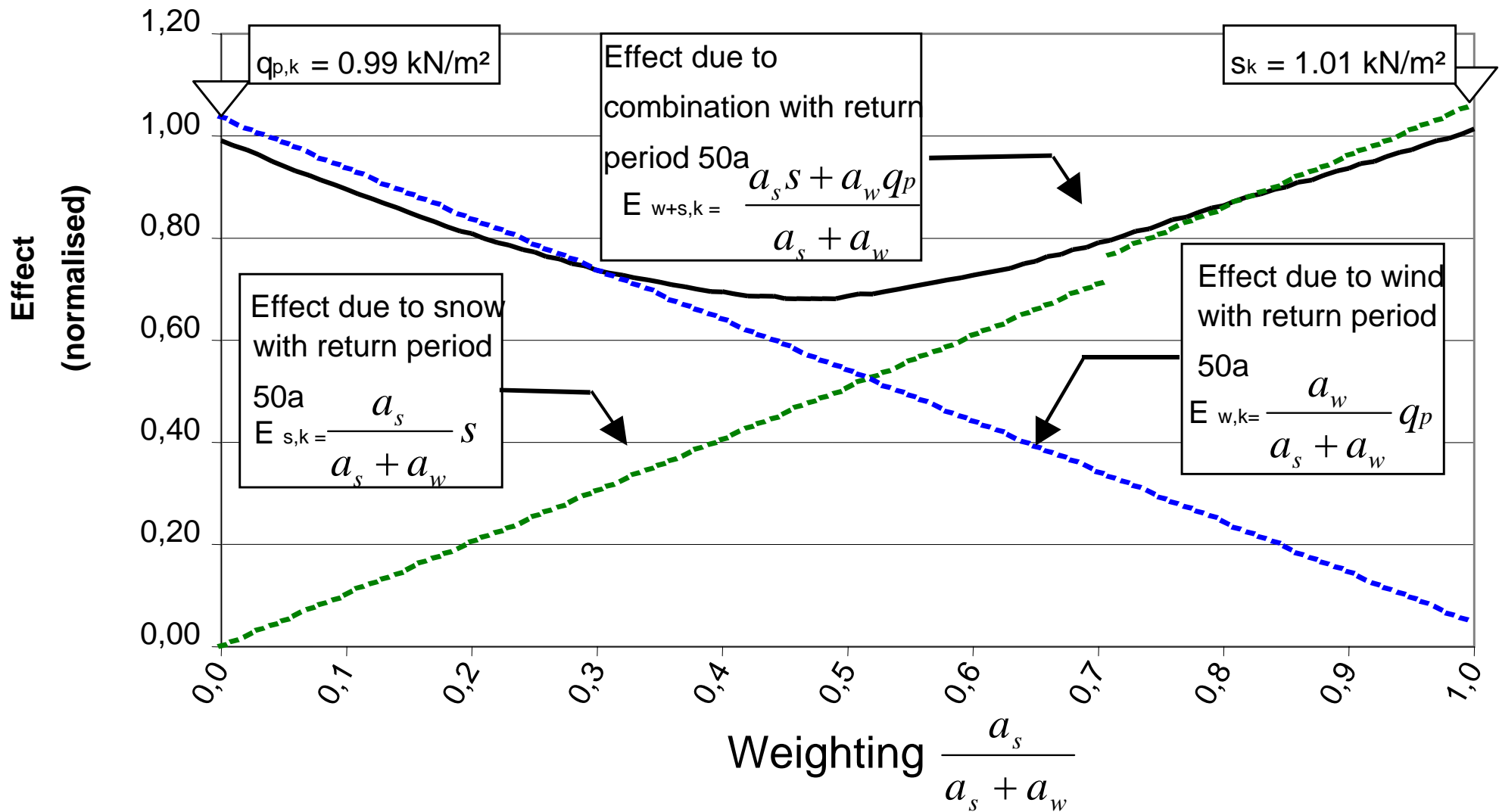
Action	Characteristic value	Design value	γ_Q
snow	1.01 kN/m ²	1.77 kN/m ²	1.75
wind action q_{pb}	0.99 kN/m ²	1.48 kN/m ²	1.50
ΔT_{max}	27.2 K	33.1 K	1.22
ΔT_{min}	-39.3 K	-51.7 K	1.32



$$E_{W+S} = a_S \cdot s + a_W \cdot q_p \Rightarrow E_{W+S,k}$$

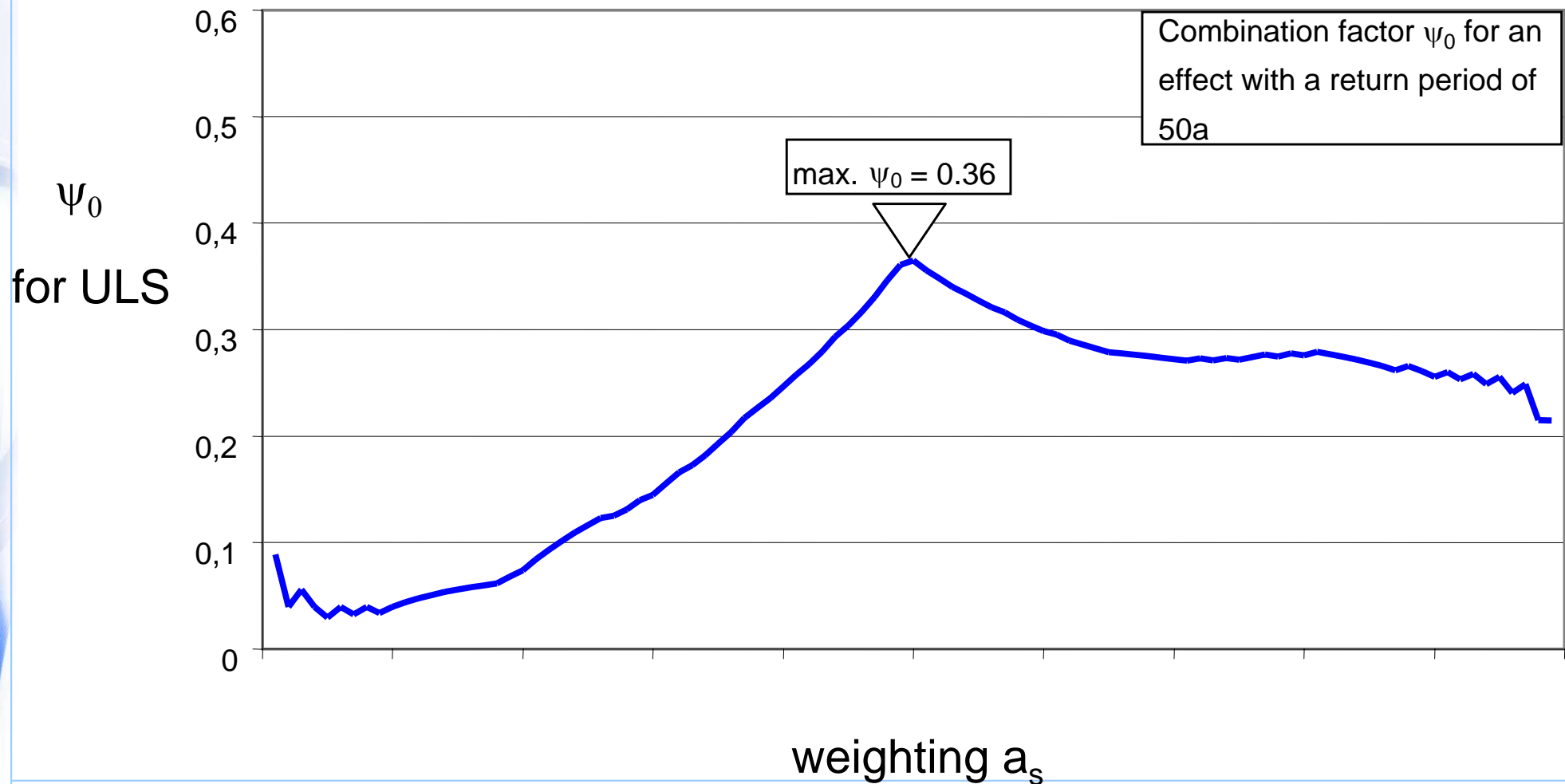
influence factor for wind

influence factor for snow



$$E_{w+s,k} = E_{s,k} + \psi_{0,w} \cdot E_{w,k} \Rightarrow \psi_{0,w}$$

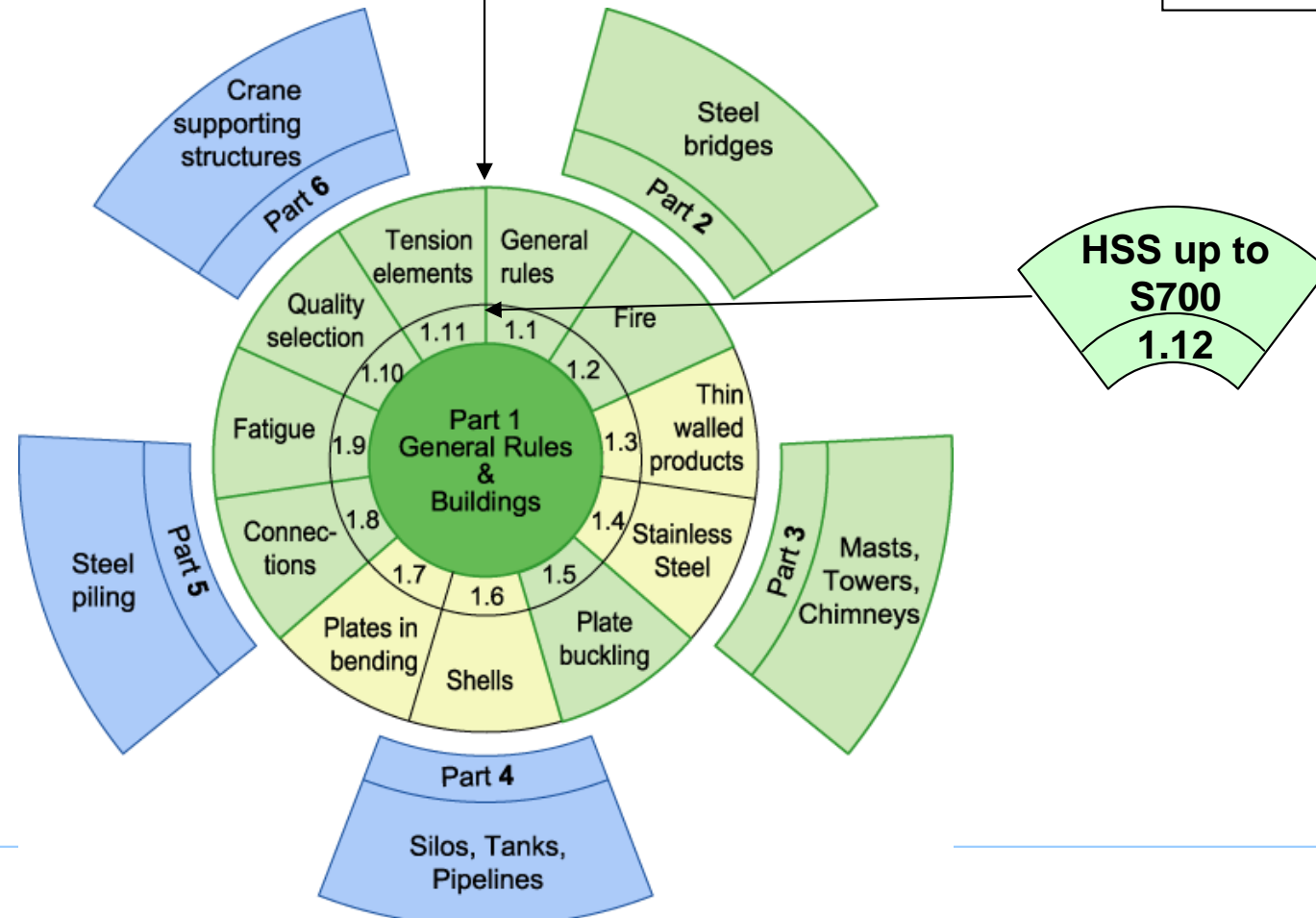
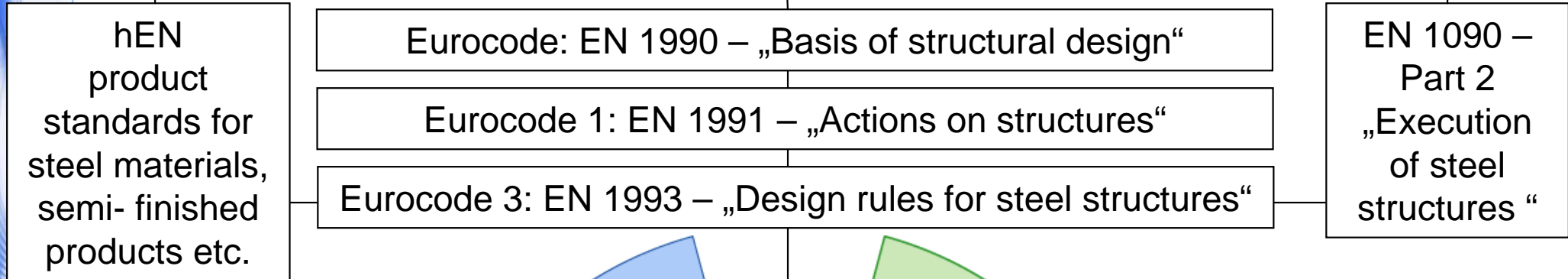
$$E_{w+s,k} = E_{s,k} + \psi_{0,w} \cdot E_{w,k} \Rightarrow \psi_{0,w}$$

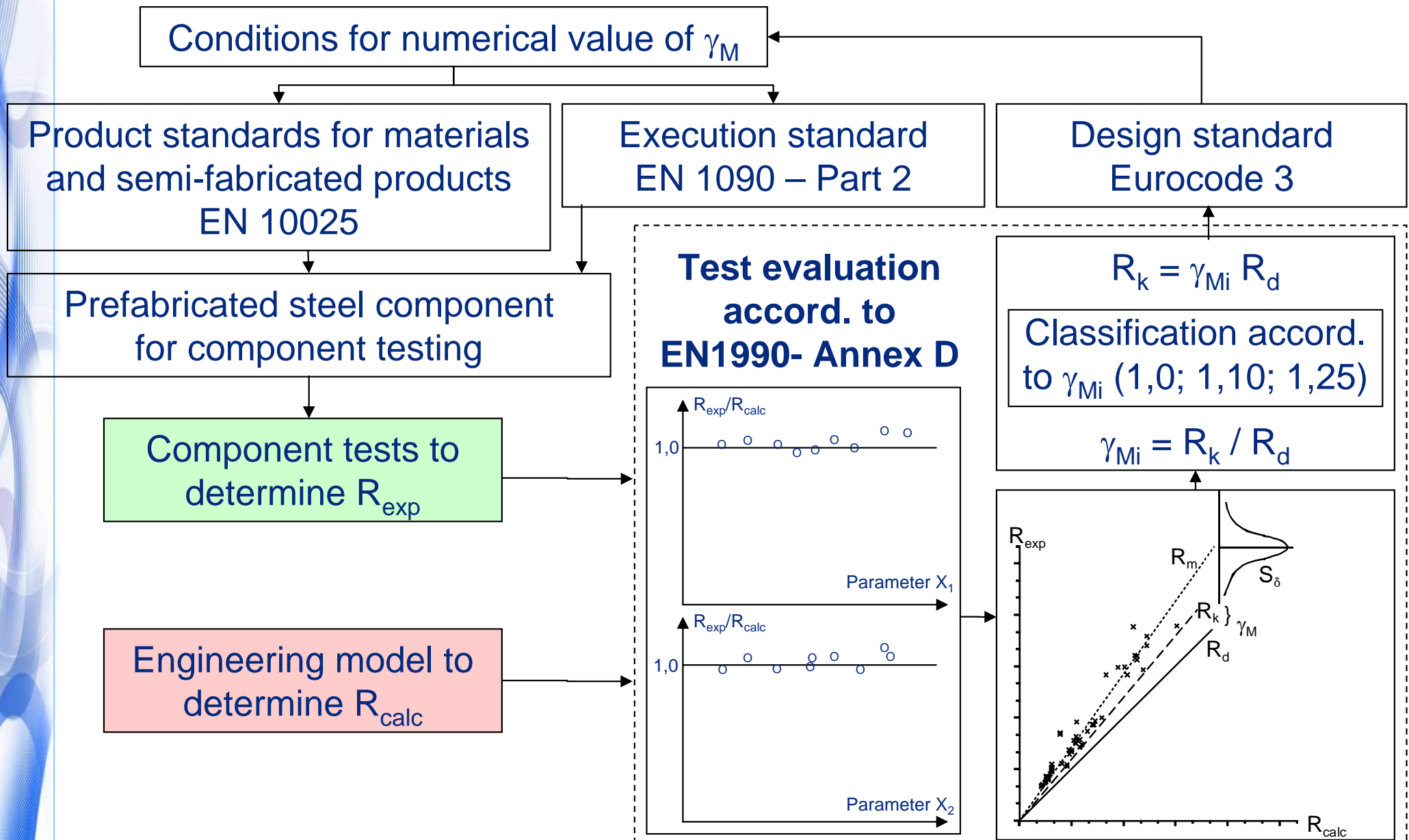


Allianz-Arena Munich

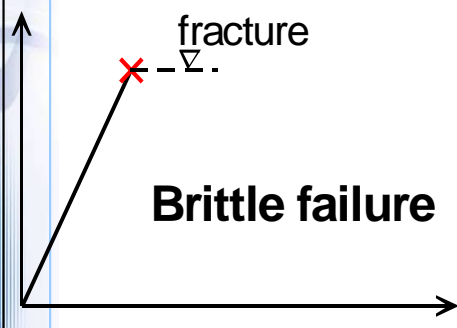


EN 1090 – Part 1 „Delivery Conditions for prefabricated steel components“

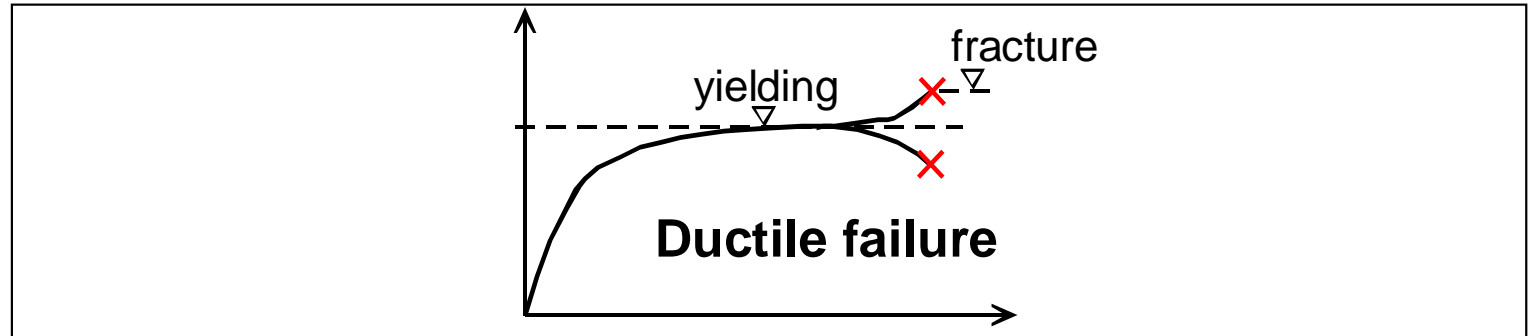




Failure modes



excluded by appropriate choice of material



1. Mode 0
excessive deformation by yielding
e.g. tension bar

$$R_d = \frac{R_k(f_y)}{\gamma_{M0}}$$

Mode 1
member failure by instability
e.g. column buckling

$$R_d = \frac{R_k(f_y, \bar{\lambda})}{\gamma_{M1}}$$

Mode 2
fracture after yielding
e.g. bolt

$$R_d = \frac{R_k(f_u)}{\gamma_{M2}}$$

2. Test evaluation $R_d = m_R \exp(0,8 \beta \sigma_R - 0,5 \sigma_R^2)$; $\beta = 3,80$

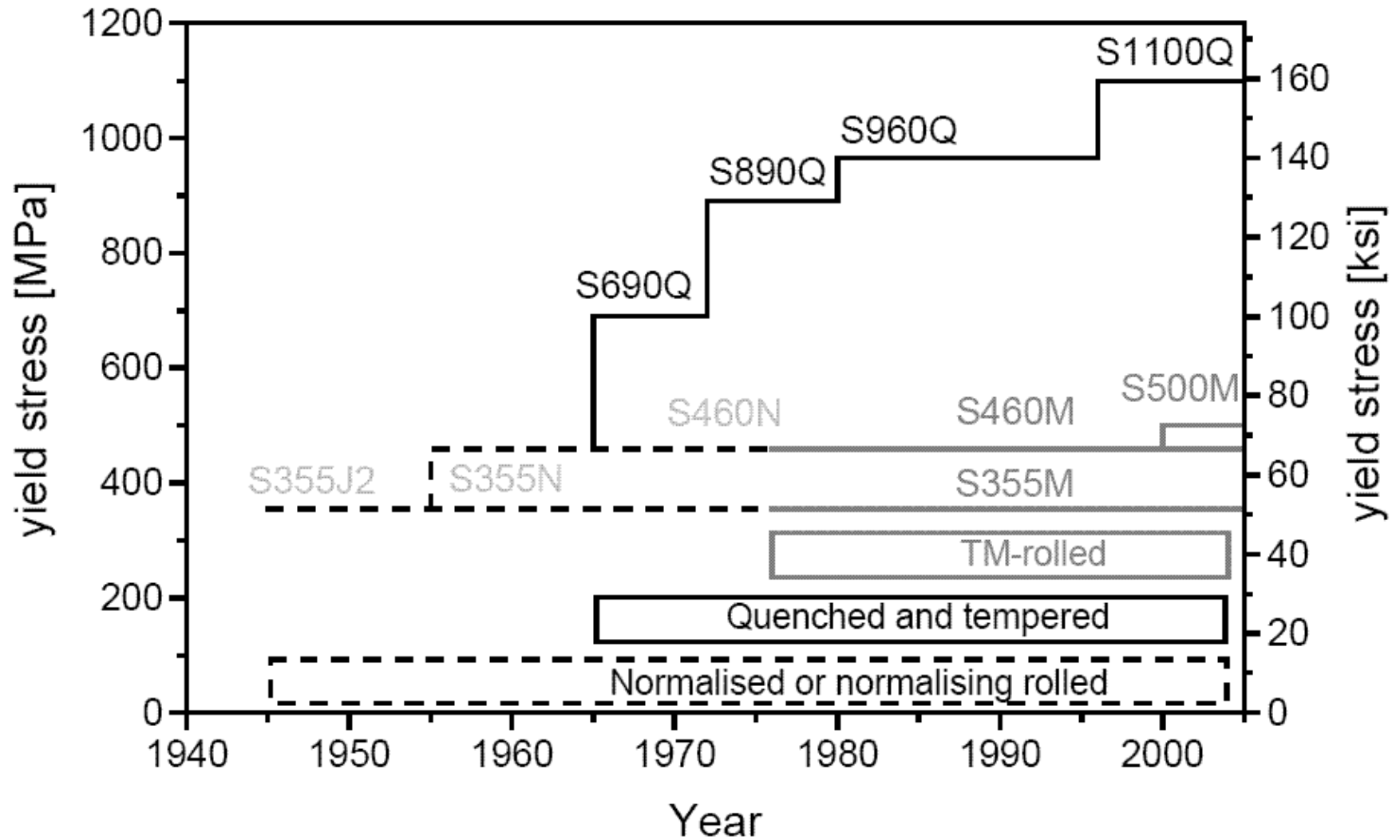
3. Recommended values

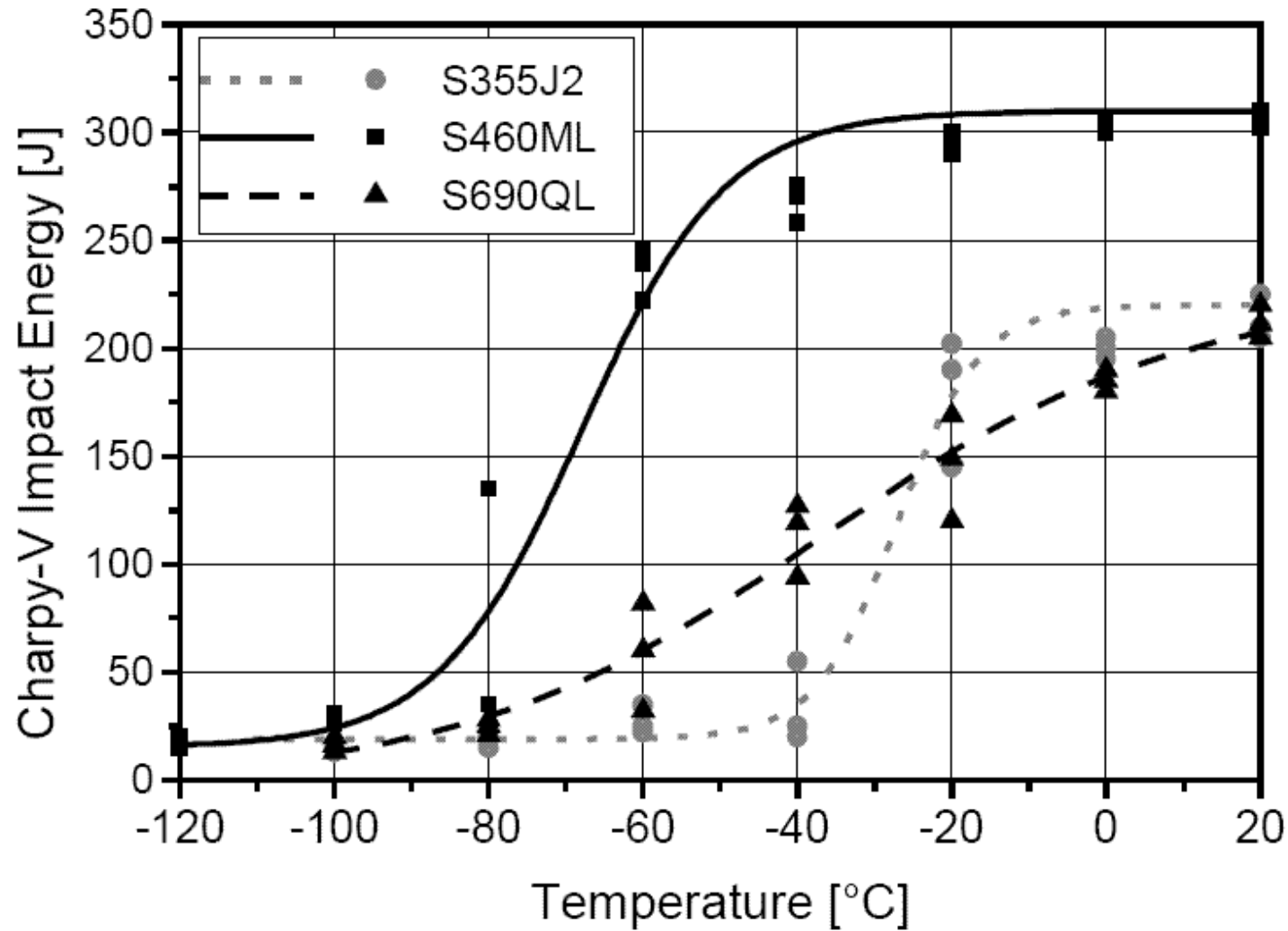
$$\gamma_{M0} = 1,00$$

$$\gamma_{M1} = 1,10$$

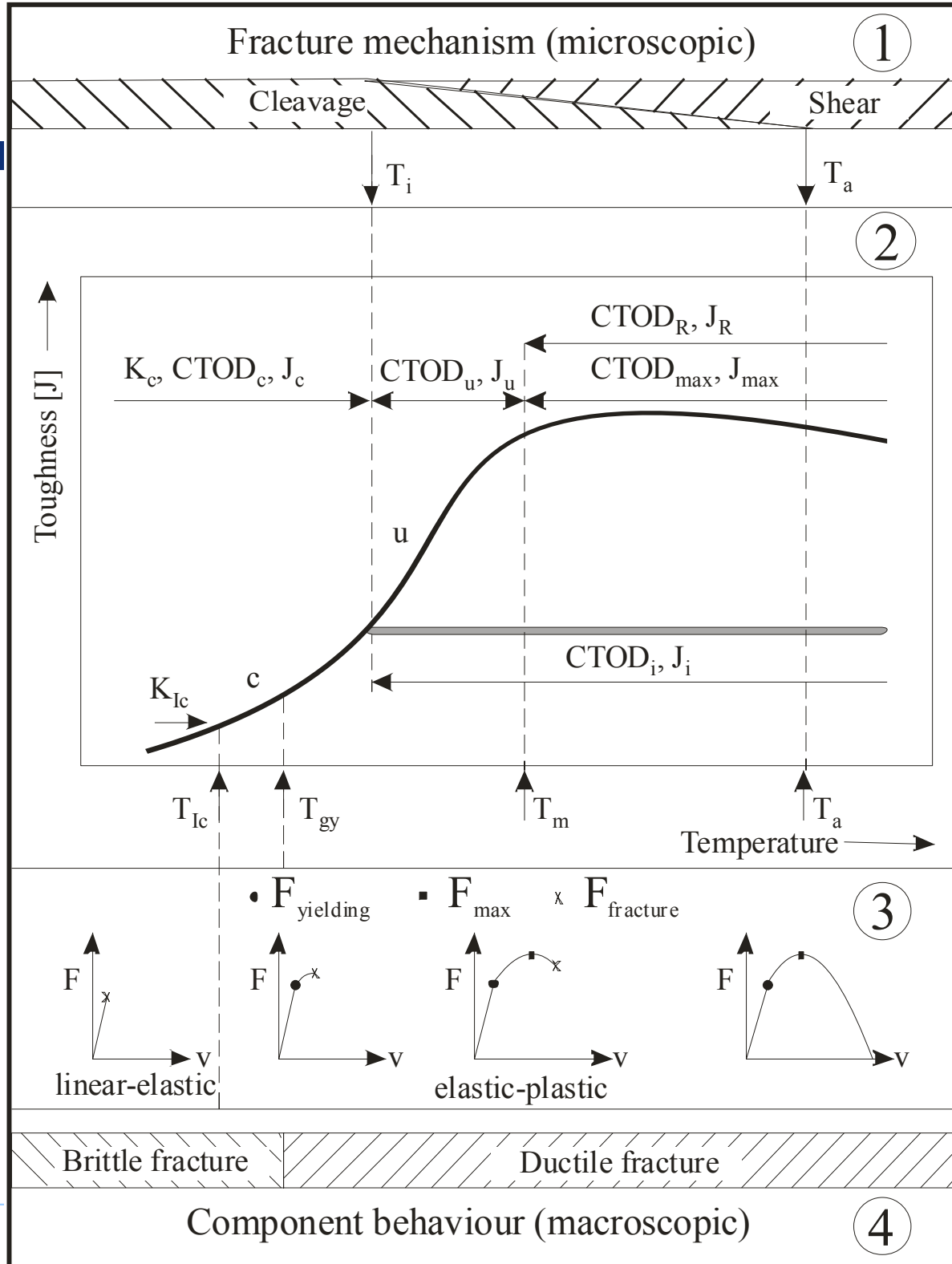
$$\gamma_{M2} = 1,25$$

4. Characteristic value $R_k = \gamma_M R_d$





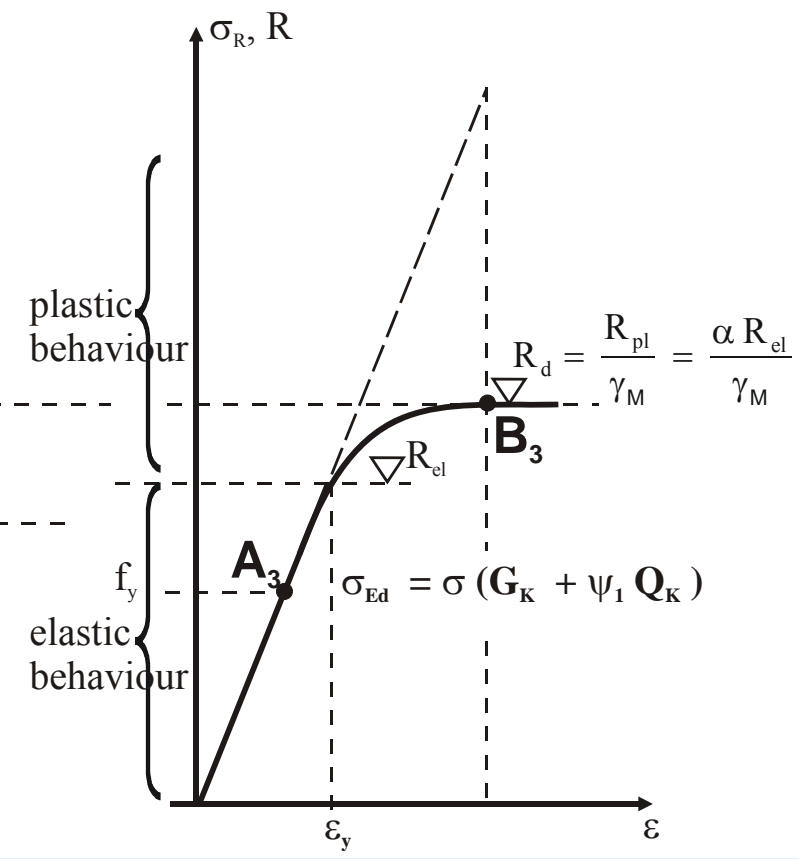
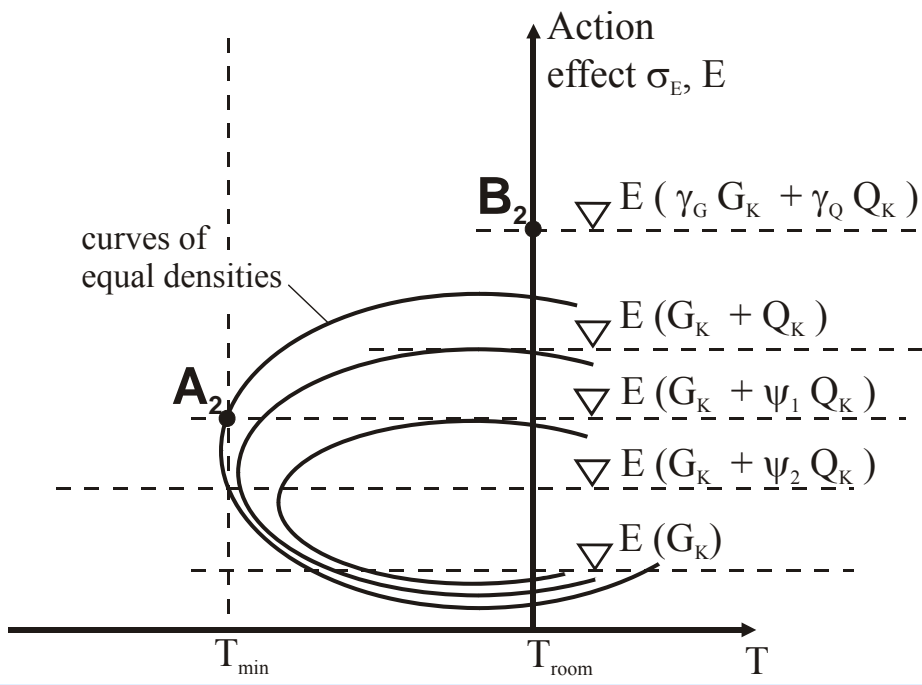
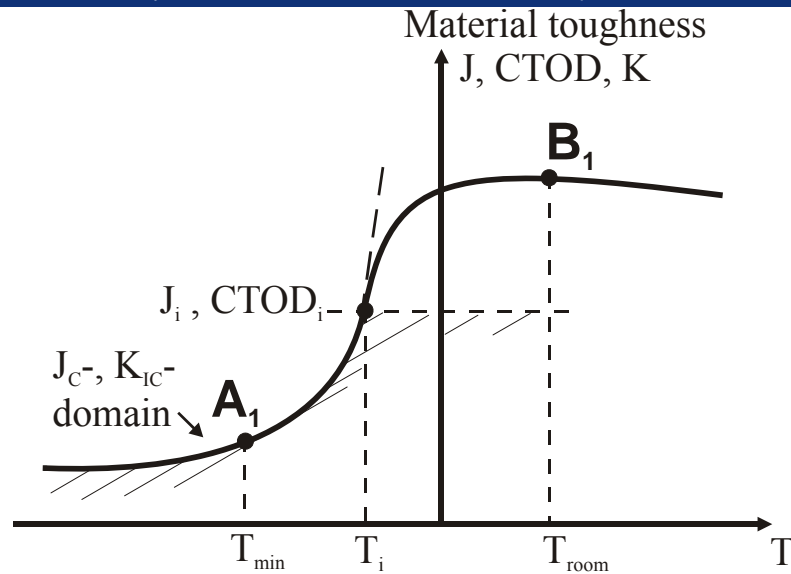
Toughness-temperature-curve and related load-deformation curves for tension elements using various parameters for toughness properties



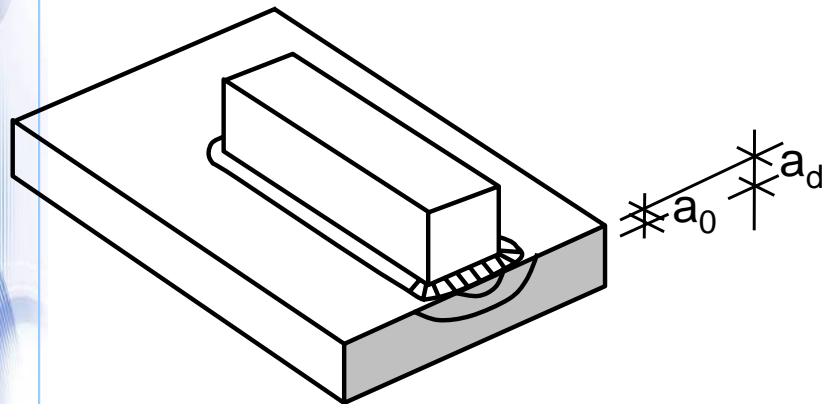
②

③

④



Assumption for a_0



$$a_d = a_0 \cdot f \left(\frac{\Delta\sigma_c^3 \cdot 2 \cdot 10^6}{4} \right)$$

fatigue loading

initial crack

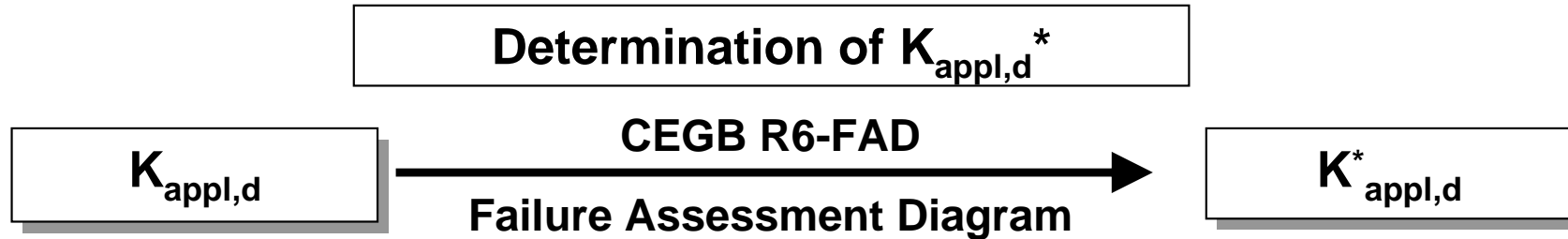
design crack

Safety assessment based on fracture mechanics

$$K_{\text{appl},d} \leq K_{\text{mat},d}$$

$K_{\text{mat},d} (T_{27J}, T_{Ed})$

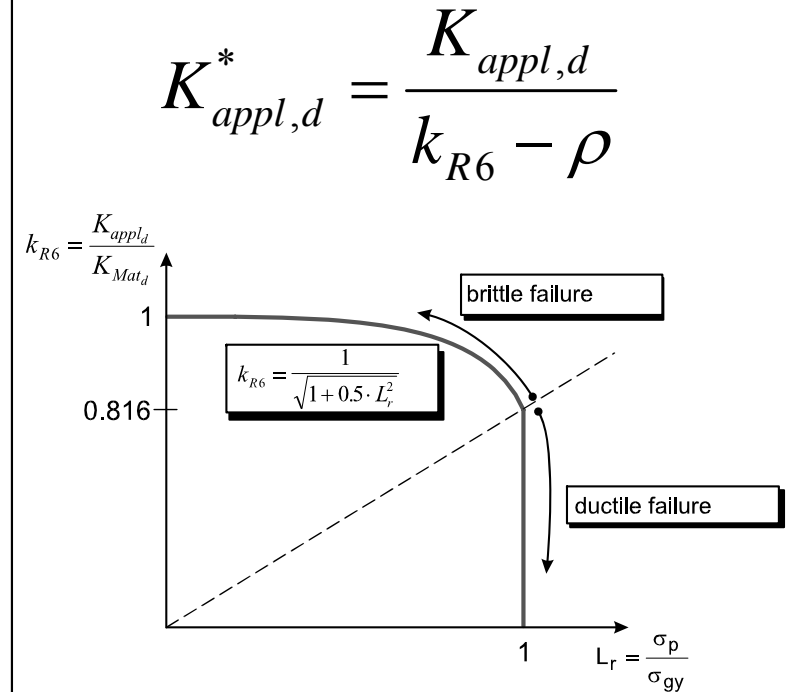
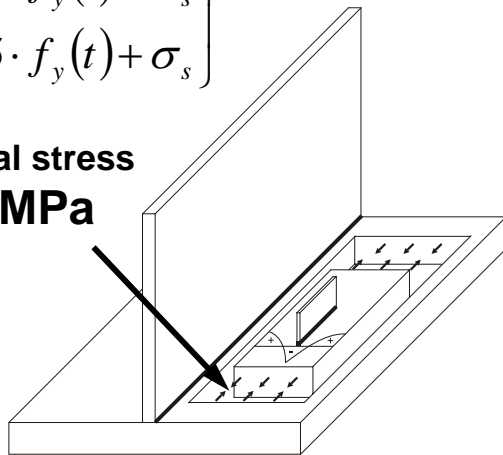
$K_{\text{appl},d} (\text{member shape}, a_d, \psi_1 \cdot \sigma_{Ed})$



$$K_{appl,d} = \Delta K(a_d) \cdot \frac{\sigma_{Ed}}{\Delta \sigma}$$

$$\sigma_{Ed} = \begin{cases} 0,25 \cdot f_y(t) + \sigma_s \\ 0,50 \cdot f_y(t) + \sigma_s \\ 0,75 \cdot f_y(t) + \sigma_s \end{cases}$$

Global residual stress
 $\sigma_s = 100 \text{ MPa}$



Determination of $K_{Mat,d}(T_{Ed})$

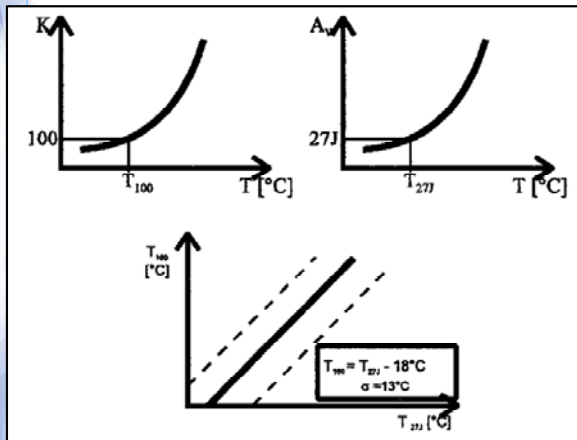
Material property

$$T_{27J}$$

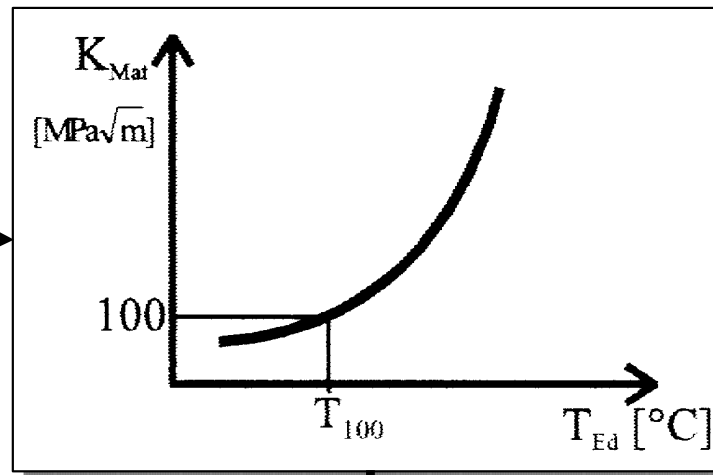
Applied temperature

$$T_{Ed} = T_{min} + \Delta T_r$$

Modified Sanz-Correlation



Wallin-Toughness-curve



e.g.
 $T_{min} = \sim 25 \text{ } ^\circ\text{C}$
 $\Delta T_r = \sim 5 \text{ } ^\circ\text{C}$

$$K_{Mat,d}(T_{Ed}, T_{27J}, \Delta T_R)$$

$$K_{appl,d}^* \leq K_{mat,d}$$

Transformation →

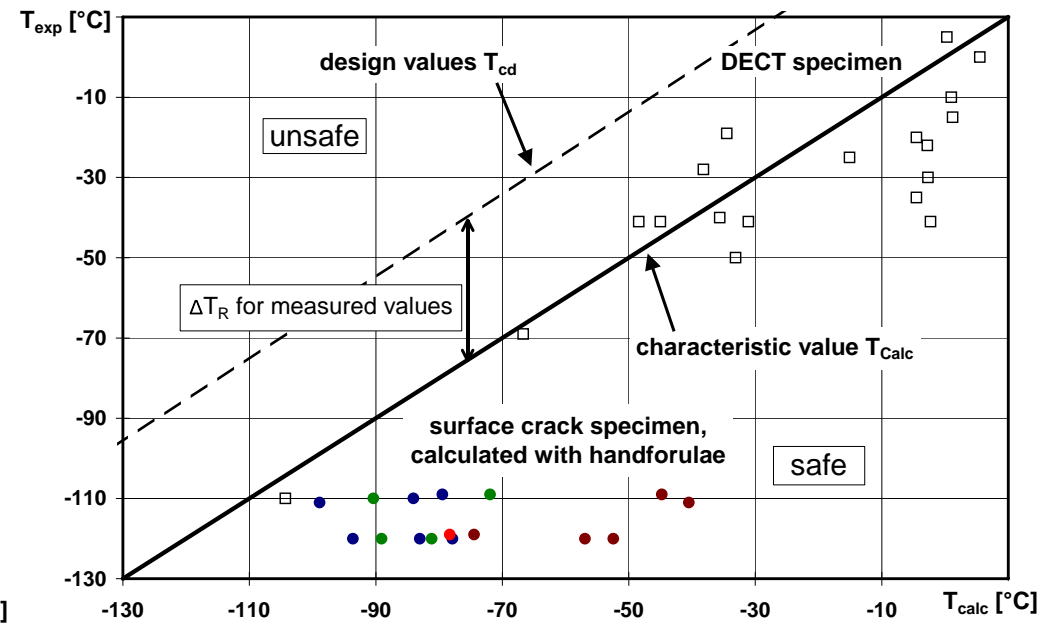
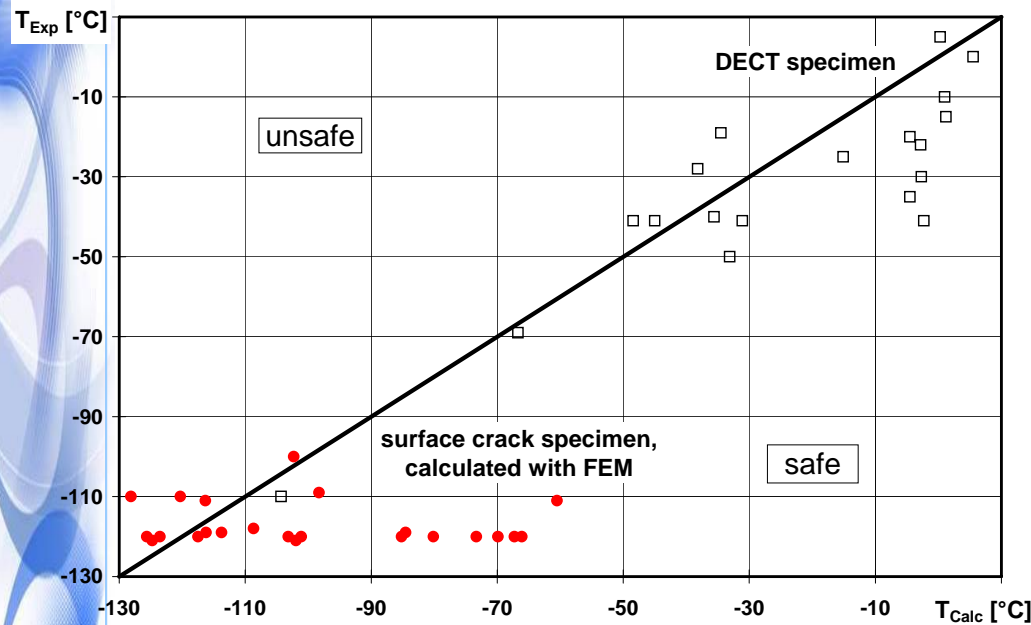
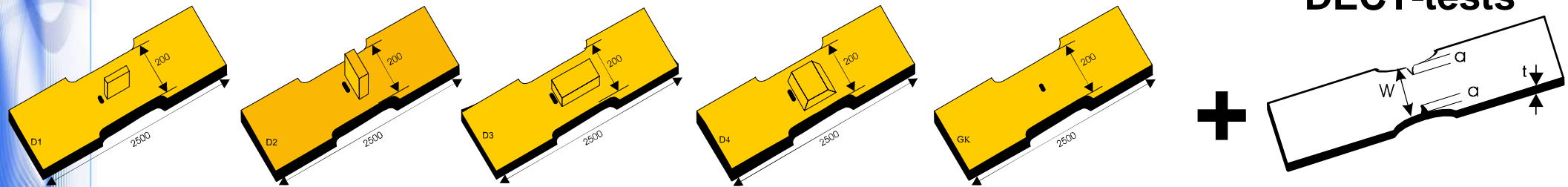
$$T_{Ed} \geq T_{Rd}$$

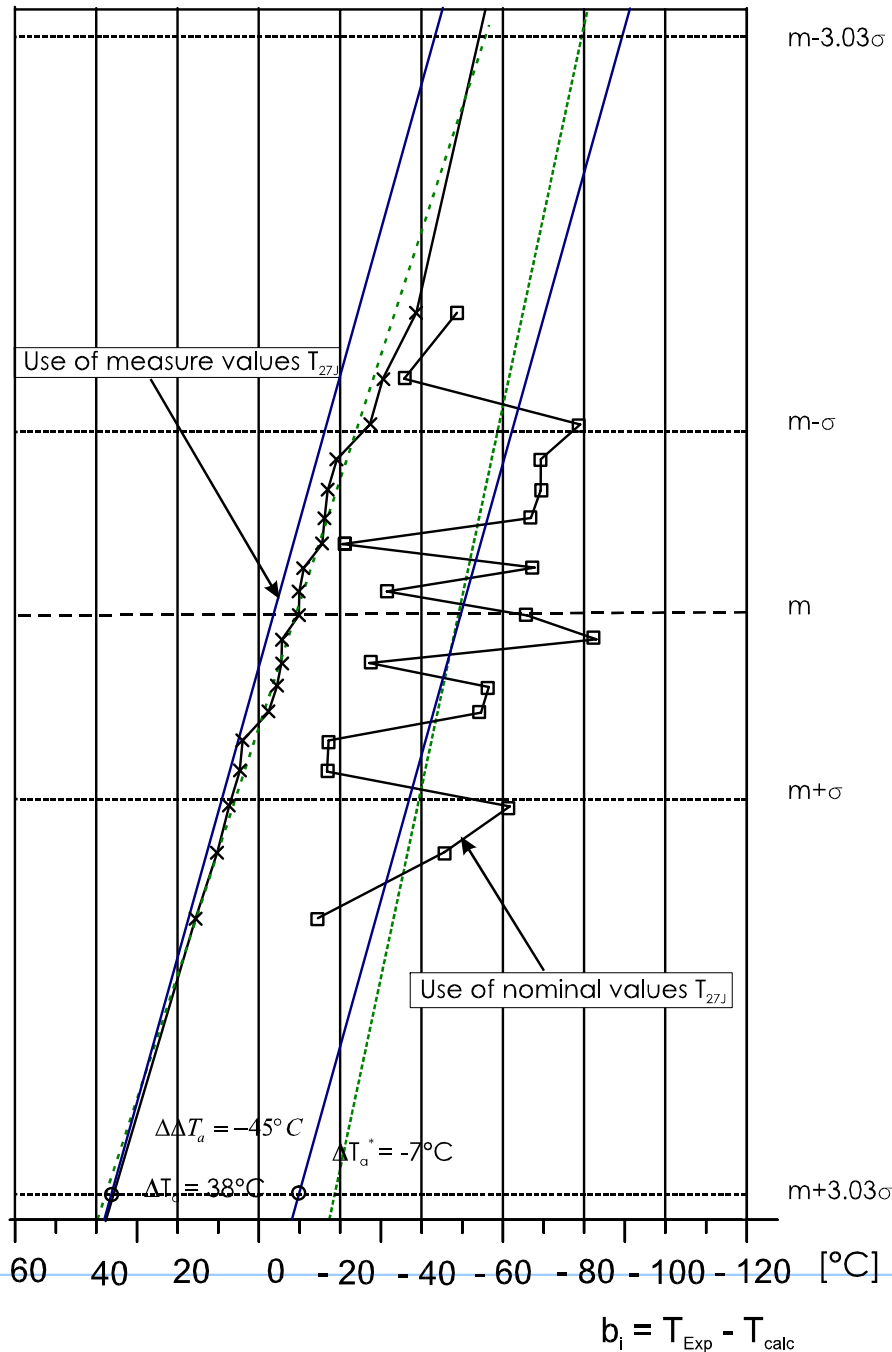
Safety assessment based on temperature

Assessment scheme

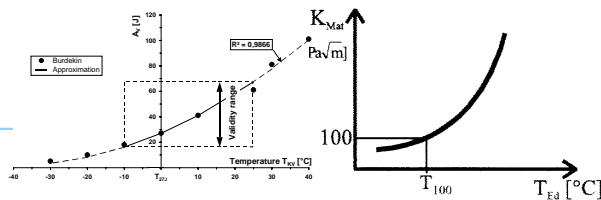
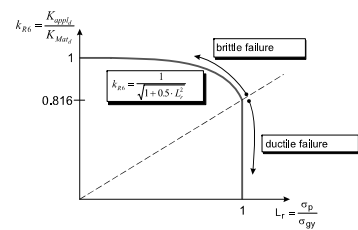
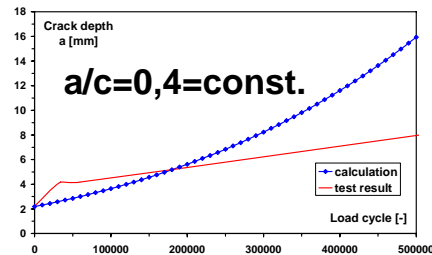
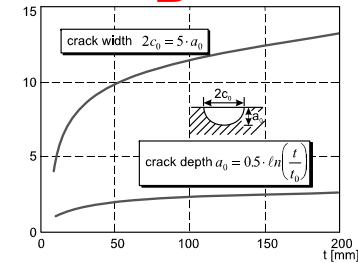
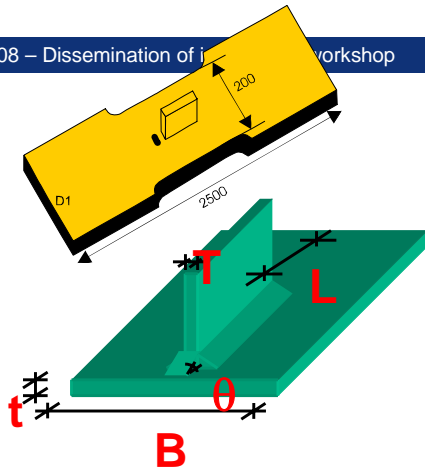
$T_{Ed} \geq T_{Rd}$

Action side	Resistance
<div style="border: 1px solid black; padding: 5px; margin-bottom: 10px;"> $T_{Ed} = T_{min} + \Delta T_r + \Delta T_\sigma + \Delta T_R \left[+\Delta T_\dot{\epsilon} + \Delta T_{apl} \right]$ </div> <ul style="list-style-type: none"> ▶ Lowest air temperature in combination with σ_{Ed} $T_{min} = -25^\circ C$ ▶ Radiation loss $\Delta T_r = -5^\circ C$ ▶ Influence of stress, crack imperfection and member shape and dimension $\Delta T_\sigma = -52 \cdot \ln \left[\frac{\left(\frac{K_{appl}}{k_{R6} - \rho} - 20 \right) \cdot \left(\frac{b_{eff}}{25} \right)^{1/4} - 10}{70} \right] \quad [^\circ C]$ <ul style="list-style-type: none"> ▶ Additive safety element $\Delta T_R = +7^\circ C$ (with $\beta = 3,8$) <hr style="border-top: 1px dashed black;"/> <p style="text-align: center;"><i>may be supplemented by</i></p> <ul style="list-style-type: none"> ▶ Influence of the strain rate $\Delta T_\dot{\epsilon} = - \frac{1440 - f_y(t)}{550} \cdot \left(\ln \frac{\dot{\epsilon}}{\dot{\epsilon}_0} \right)^{1,5} \quad [^\circ C]$ <p style="text-align: center;"><i>with $\dot{\epsilon}_0 = 0,0001 s^{-1}$</i></p> <ul style="list-style-type: none"> ▶ Influence from cold forming $\Delta T_{apl} = -3 \cdot DCF \quad [^\circ C]$ <p style="text-align: center;"><i>with $DCF = \text{Degree of Cold Forming} [\%]$</i></p>	<div style="border: 1px solid black; padding: 5px; margin-bottom: 10px;"> $T_{Rd} = T_{100}$ </div> <ul style="list-style-type: none"> ▶ Influence of material toughness $T_{100} = T_{27J} - 18 \quad [^\circ C]$





Value of the safety element (NDP) related to the use of nominal values (T_{27J} and f_y) is therefore $\Delta T_R = [+7^\circ C]$



Lowest fatigue class

$\Delta\sigma_c = 56 \text{ N/mm}^2$ ($L > 100 \text{ mm}$)
acc. to prEN1993-1-9

Geometrical Parameter:

$L/t = 8,2$; $B/t = 7,5$;
 $T/t = 0,15$; $\theta = 45^\circ$

e.g. $t = 80 \text{ mm}$

$a_0 = 2,19 \text{ mm}$ and $c_0 = 5,48 \text{ mm}$

$\Delta\sigma = 56 \text{ N/mm}^2$; $LC = 500.000$

$a_d = 15,94 \text{ mm}$ and $c_d = 39,85 \text{ mm}$

$K_{\text{appl},d}(\Delta\sigma) = 20,49 \text{ MPa}\sqrt{\text{m}}$

$\sigma_{\text{Ed}} = 0,5 \cdot f_y(t) + \sigma_s$; $f_y(80 \text{ mm}) = 335 \text{ N/mm}^2$

$K^*_{\text{appl},d}(\sigma_{\text{Ed}}) = 110,01 \text{ MPa}\sqrt{\text{m}}$

$T_{\text{Ed}} = -30^\circ\text{C}$; $T_{40\text{J}} = -20^\circ\text{C}$

$\checkmark T_{27\text{J}} = -30^\circ\text{C}$; $\Delta T_R = -7^\circ\text{C}$

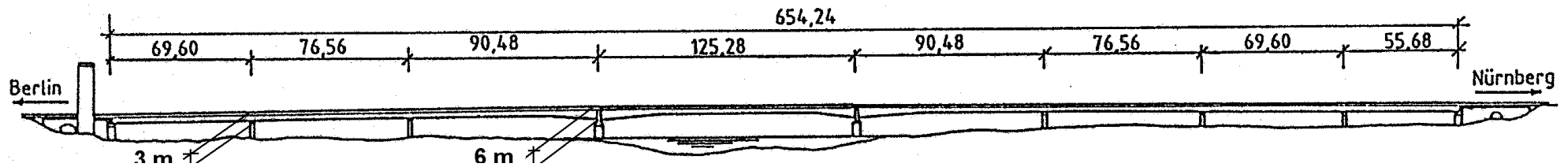
$K_{\text{Mat}}(T_{\text{Ed}}; T_{27\text{J}}; \Delta T_R) = 112,21 \text{ MPa}\sqrt{\text{m}}$

Plates made of S355 N or M and thickness $t \leq 80 \text{ mm}$
could be used up to $T_{\text{Ed}} = -30^\circ\text{C}$ and $\sigma_{\text{Ed}} = 0,5 \cdot f_y(t) + \sigma_s$

steel grade	charpy energy		applied temperature T_{Ed} in °C																				
	CVN at T °C	J min.	10	0	-10	-20	-30	-40	-50	10	0	-10	-20	-30	-40	-50	10	0	-10	-20	-30	-40	-50
			$\sigma_{Ed}=0,25*f_y(t)+\sigma_s$						$\sigma_{Ed}=0,50*f_y(t)+\sigma_s$						$\sigma_{Ed}=0,75*f_y(t)+\sigma_s$								
max. permissible plate thickness t_z in mm (safety element ΔT_R included)																							
S235	20	27	135	115	100	85	75	65	60	90	75	65	55	45	40	35	60	50	40	35	30	25	20
	0	27	175	155	135	115	100	85	75	125	105	90	75	65	55	45	90	75	60	50	40	35	30
	-20	27	200	200	175	155	135	115	100	170	145	125	105	90	75	65	125	105	90	75	60	50	40
S275	20	27	125	110	95	80	70	60	55	80	70	55	50	40	35	30	55	45	35	30	25	20	15
	0	27	165	145	125	110	95	80	70	115	95	80	70	55	50	40	75	65	55	45	35	30	25
	-20	27	200	190	165	145	125	110	95	155	130	115	95	80	70	55	110	95	75	65	55	45	35
	-20	40	200	200	190	165	145	125	110	180	155	130	115	95	80	70	135	110	95	75	65	55	45
	-50	27	230	200	200	200	190	165	145	200	200	180	155	130	115	95	185	160	135	110	95	75	65
S355	20	27	110	95	80	70	60	55	45	65	55	45	40	30	25	25	40	35	25	20	15	15	10
	0	27	150	130	110	95	80	70	60	95	80	65	55	45	40	30	60	50	40	35	25	20	15
	-20	27	200	175	150	130	110	95	80	135	110	95	80	65	55	45	90	75	60	50	40	35	25
	-20	40	200	200	175	150	130	110	95	155	135	110	95	80	65	55	110	90	75	60	50	40	35
	-50	27	210	200	200	200	175	150	130	200	180	155	135	110	95	80	155	130	110	90	75	60	50
S420	-20	40	200	185	160	140	120	100	85	140	120	100	85	70	60	50	95	80	65	55	45	35	30
	-50	27	200	200	200	185	160	140	120	190	165	140	120	100	85	70	135	115	95	80	65	55	45
S460	-20	30	175	155	130	115	95	80	70	110	95	75	65	55	45	35	70	60	50	40	30	25	20
	-20	40	200	175	155	130	115	95	80	130	110	95	75	65	55	45	90	70	60	50	40	30	25
	-40	30	200	200	175	155	130	115	95	155	130	110	95	75	65	55	105	90	70	60	50	40	30
	-50	27	200	200	200	175	155	130	115	180	155	130	110	95	75	65	125	105	90	70	60	50	40
	-60	30	215	200	200	200	175	155	130	200	180	155	130	110	95	75	150	125	105	90	70	60	50
S690	0	40	120	100	85	75	60	50	45	65	55	45	35	30	20	20	40	30	25	20	15	10	10
	-20	30	140	120	100	85	75	60	50	80	65	55	45	35	30	20	50	40	30	25	20	15	10
	-20	40	165	140	120	100	85	75	60	95	80	65	55	45	35	30	60	50	40	30	25	20	15
	-40	30	190	165	140	120	100	85	75	115	95	80	65	55	45	35	75	60	50	40	30	25	20
	-40	40	200	190	165	140	120	100	85	135	115	95	80	65	55	45	90	75	60	50	40	30	25
-60	30	200	200	190	165	140	120	100	160	135	115	95	80	65	55	110	90	75	60	50	40	30	

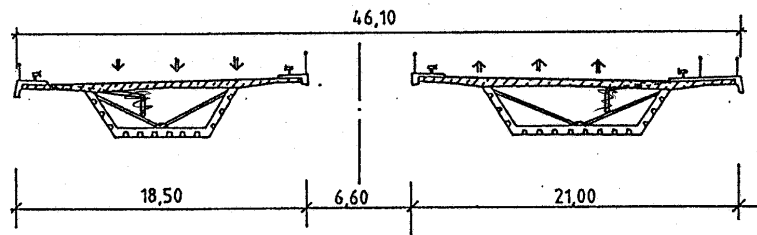


Olympic stadium Berlin

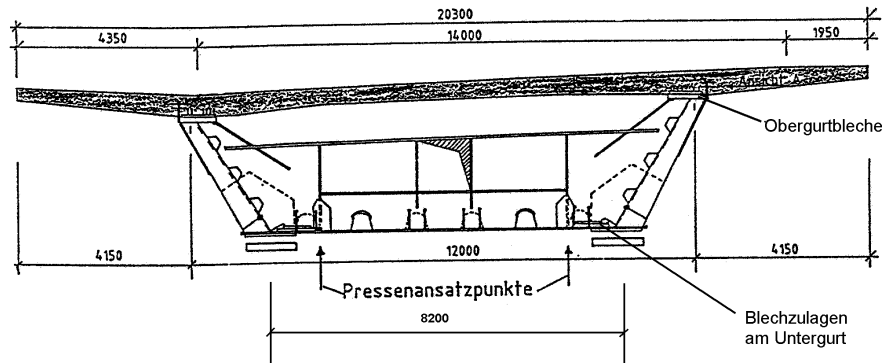


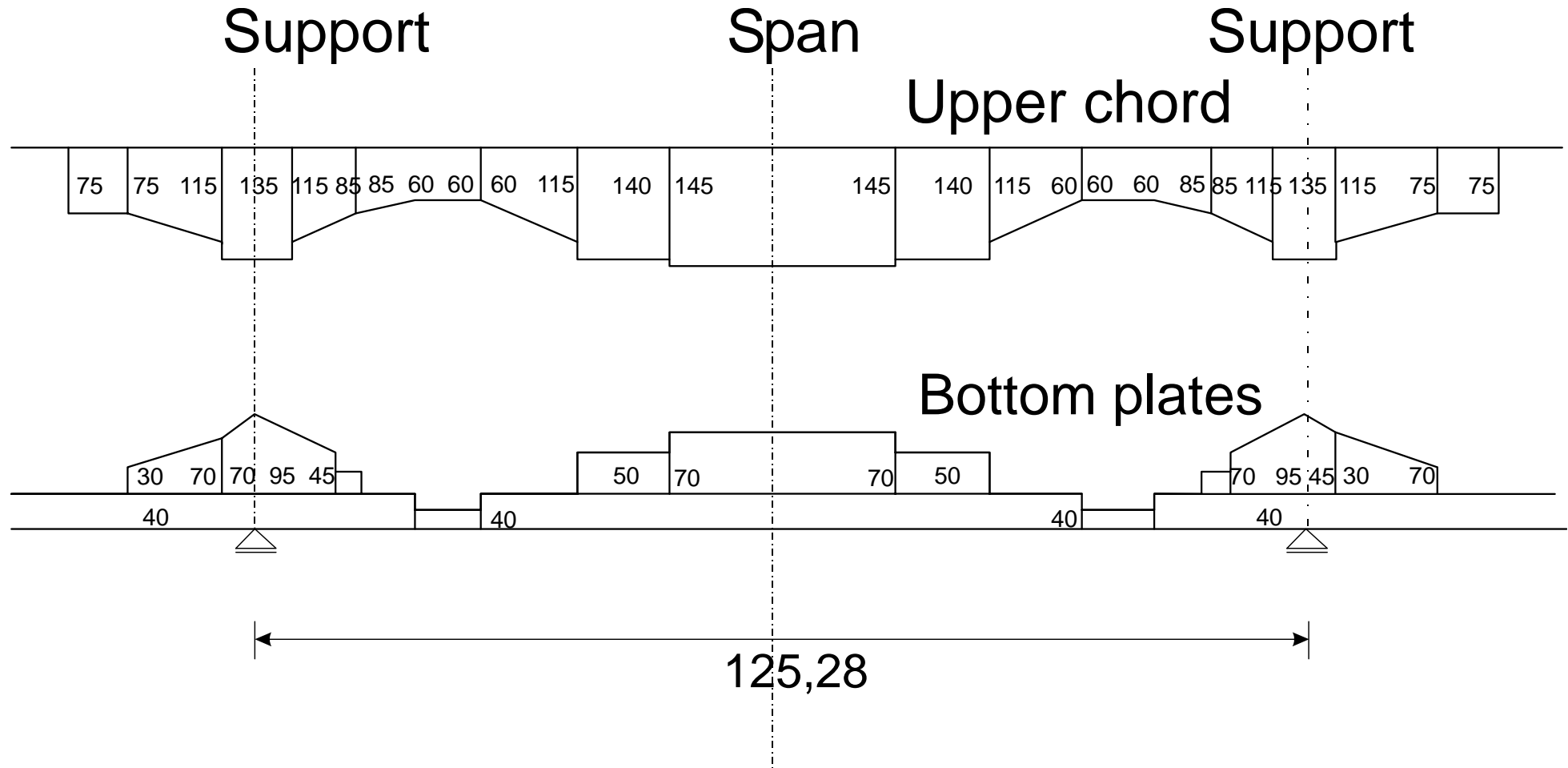
Bridge system and construction

Querschnitt

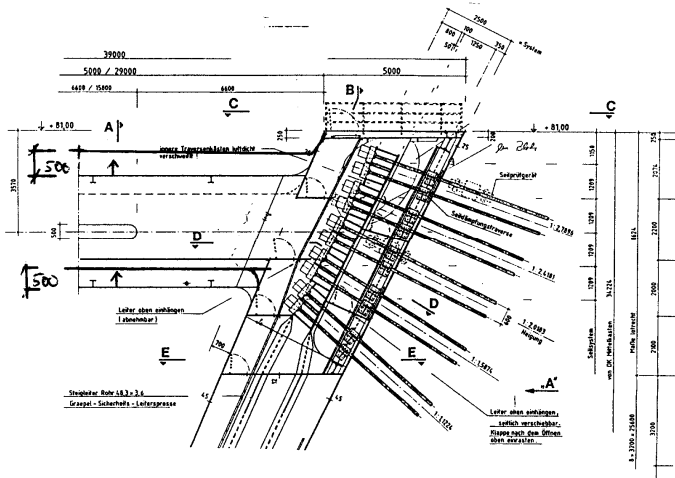
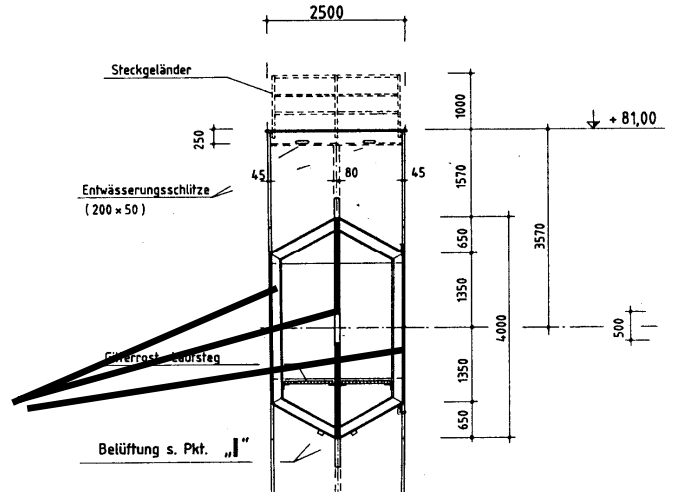
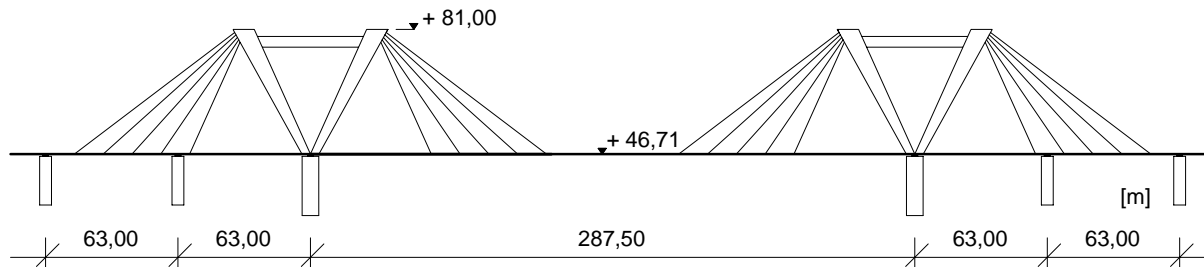


Construction at supports

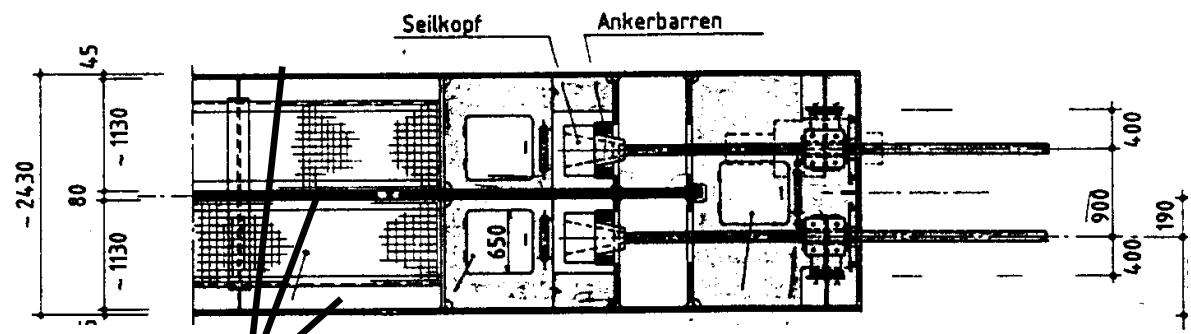




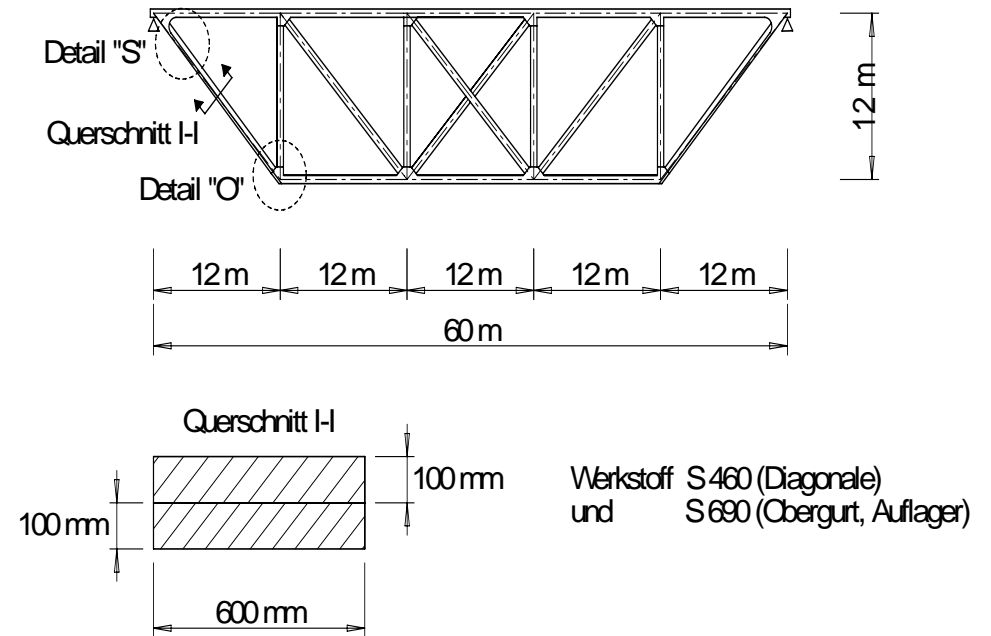
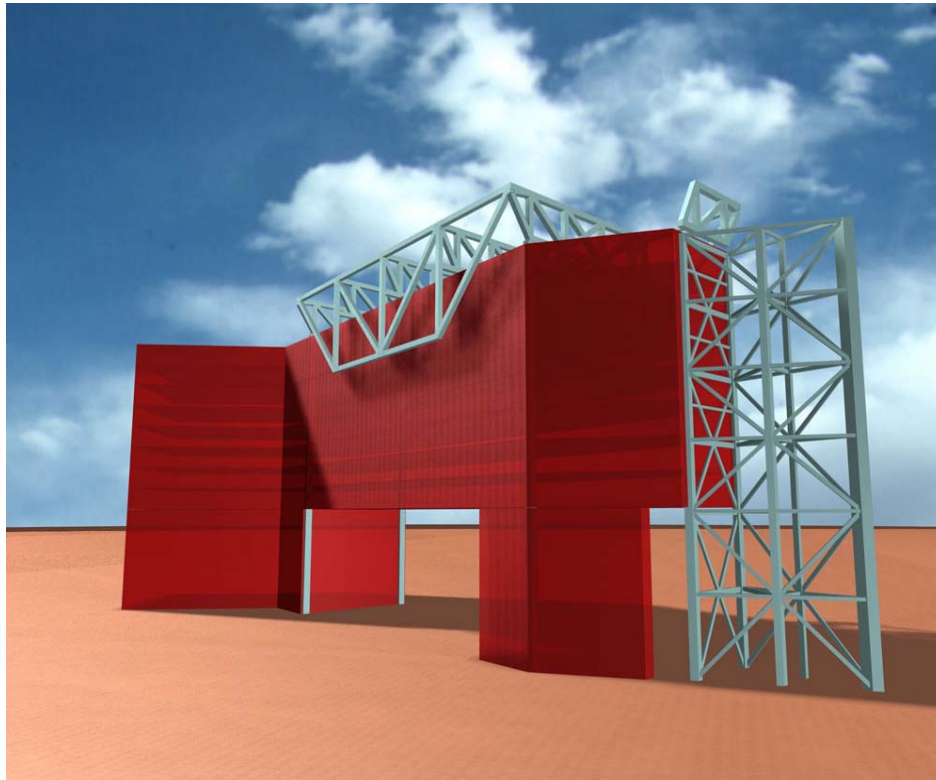
Rheinbrücke Iverich



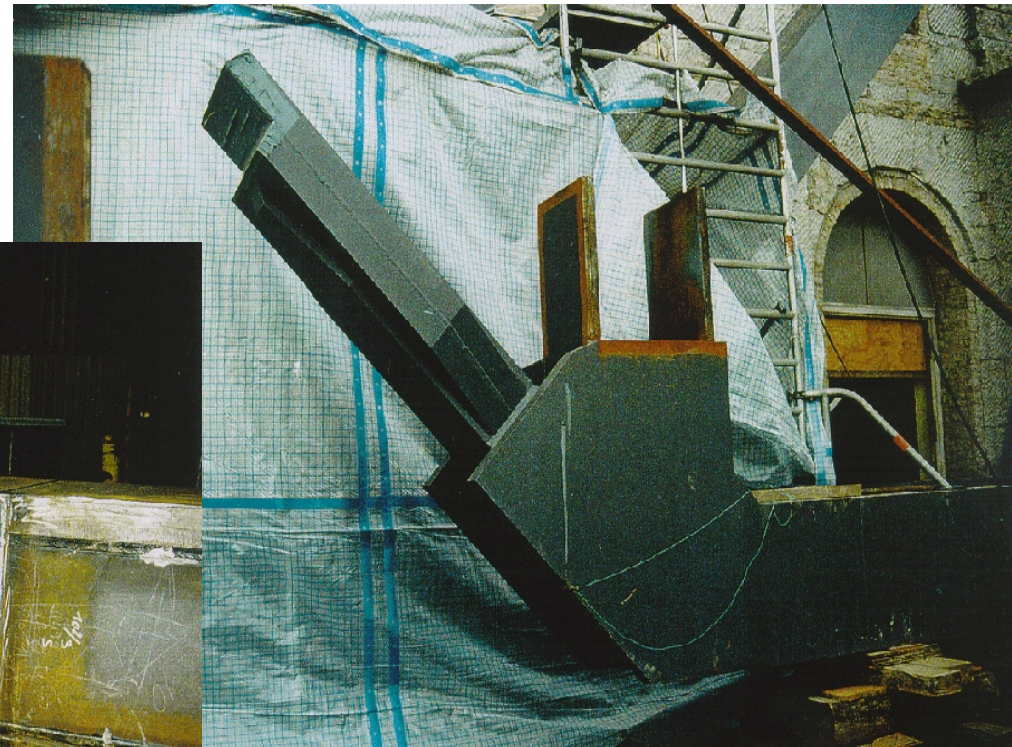
plates in S460 TM



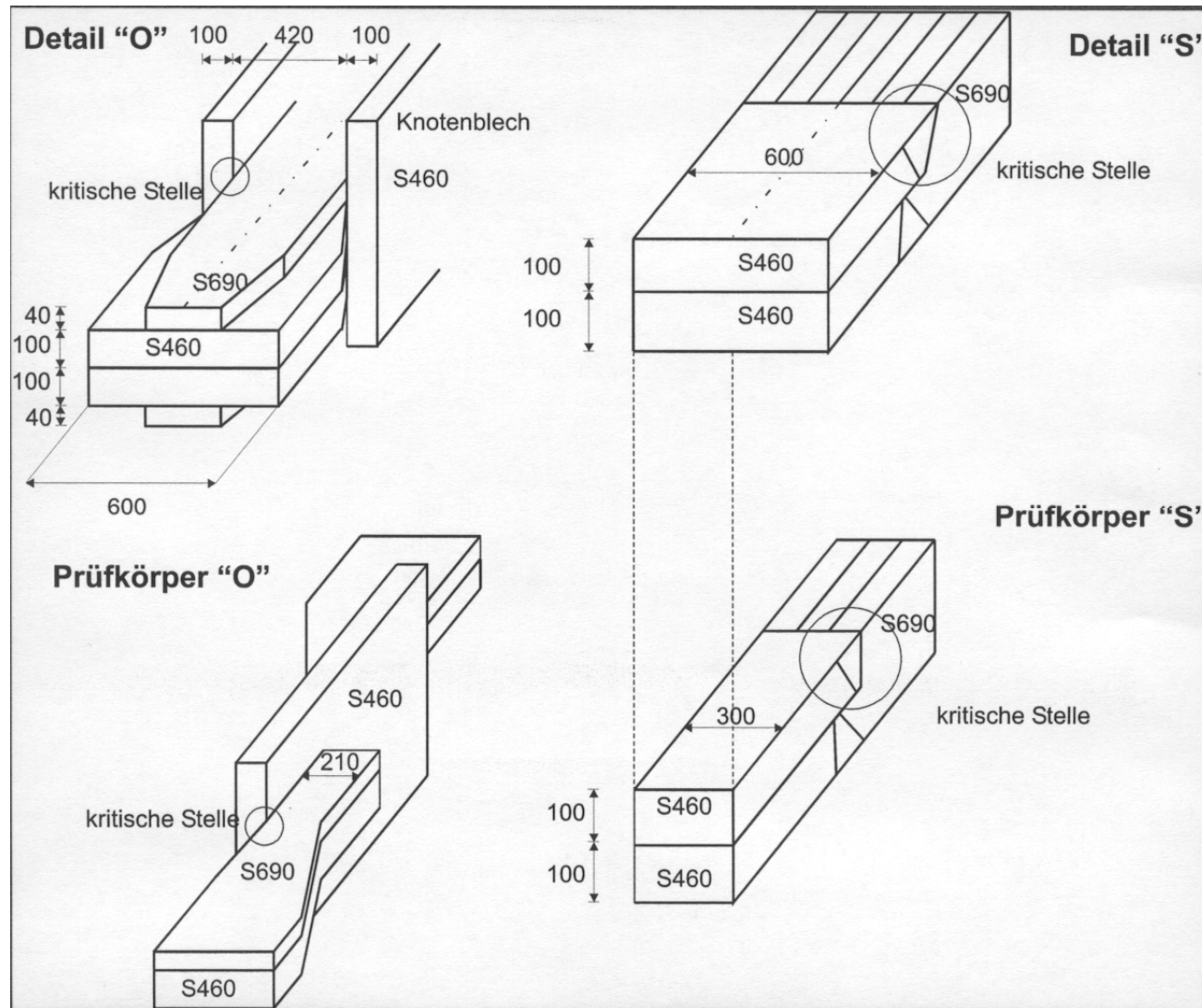
plates in S460 TM

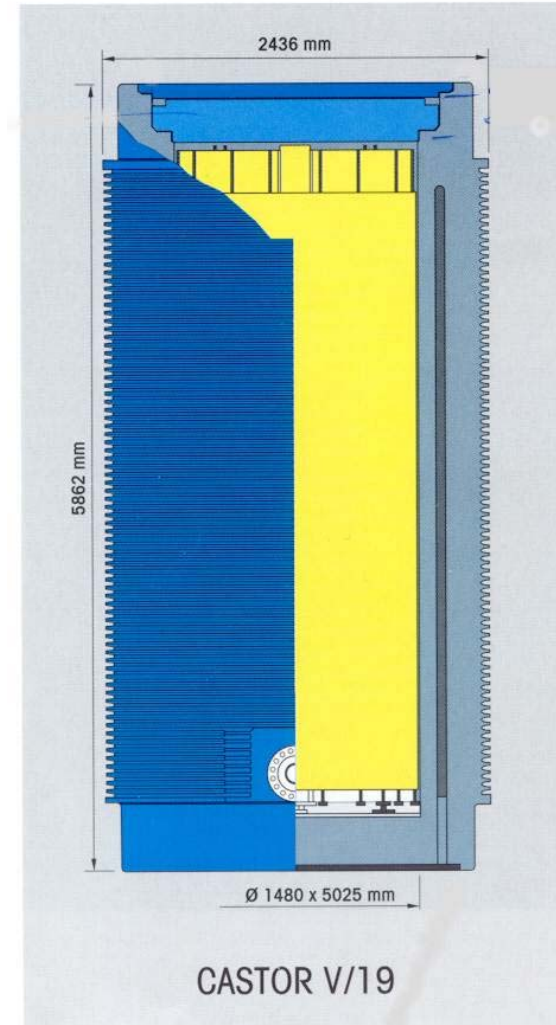
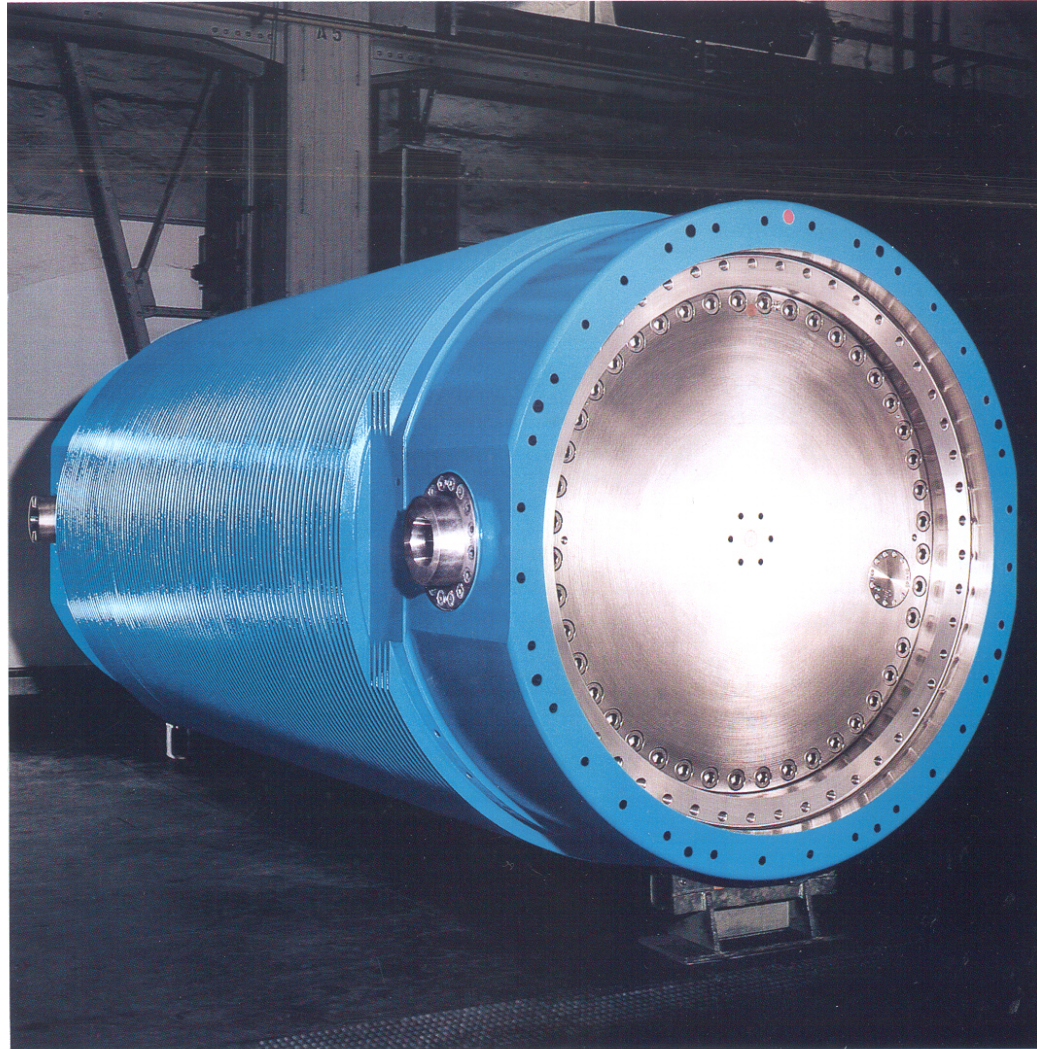


Upper chord S



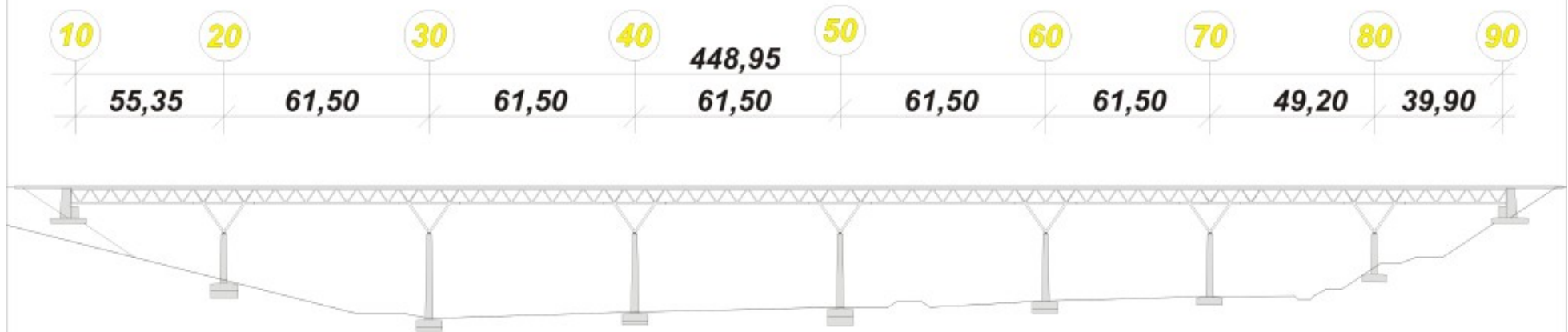
Lower chord O





Talbrücke St. Kilian

Ansicht



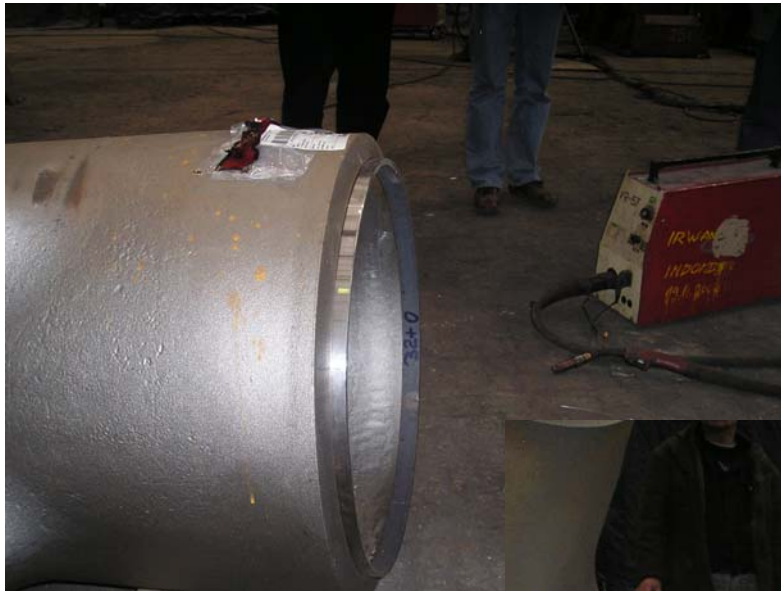
Regelquerschnitt

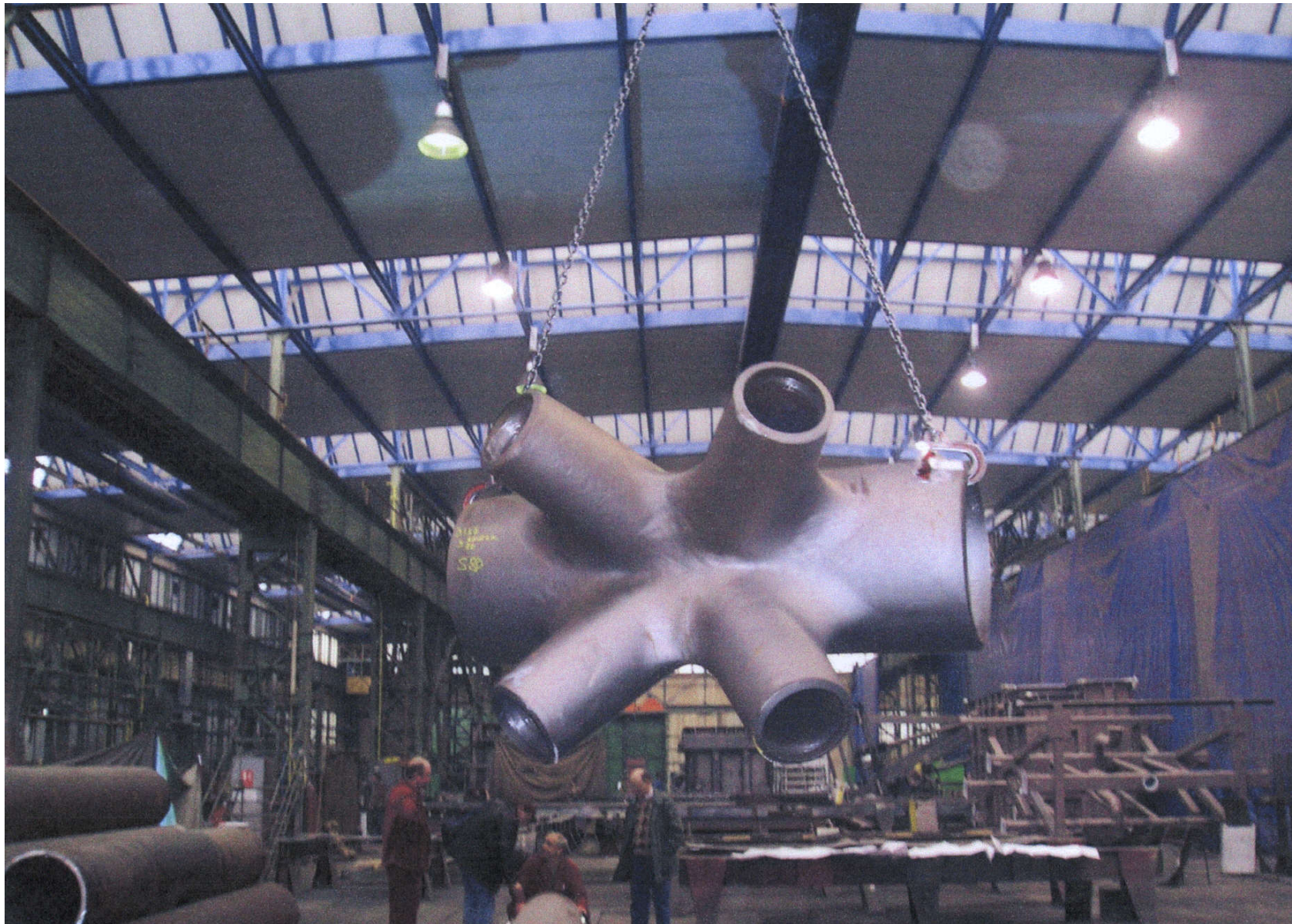


Systemskizze

BAB A 73
 Talbrücke St. Kilian
 DEGES-Bauwerks-Nr. 5212/13

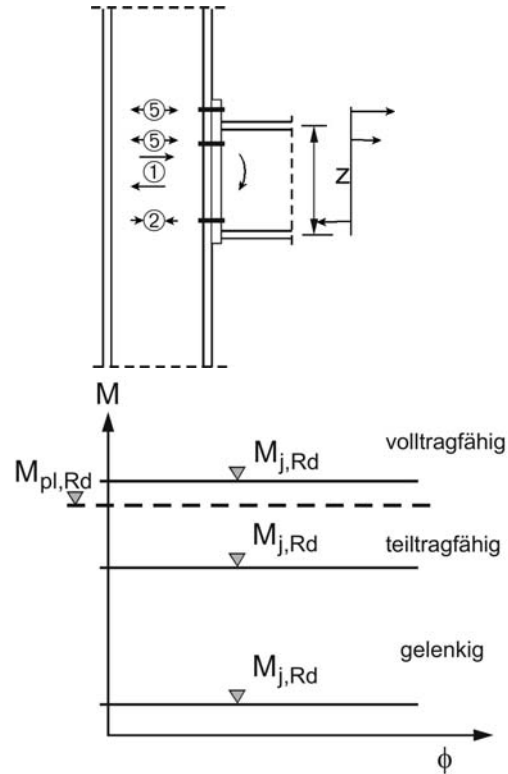






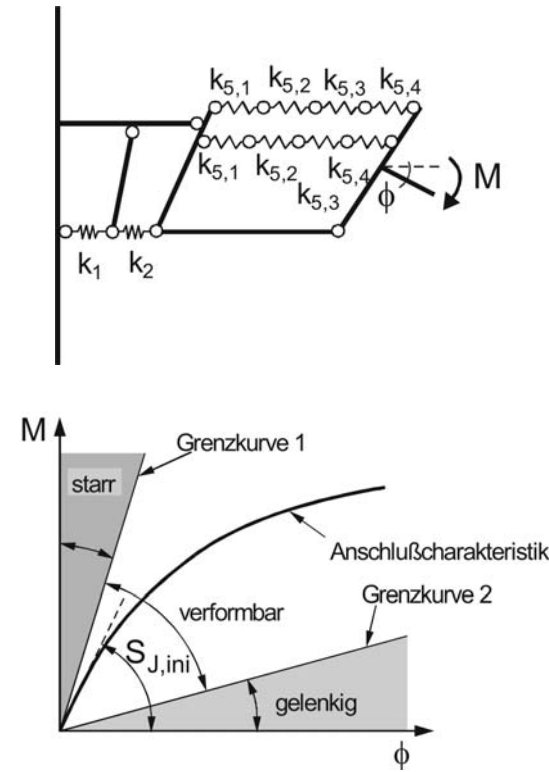
Klassifizierung nach der Tragfähigkeit

$M_{j,Rd}$ = Bemessungswert der Anschlußtragfähigkeit
 $M_{pl,Rd}$ = Referenzwert

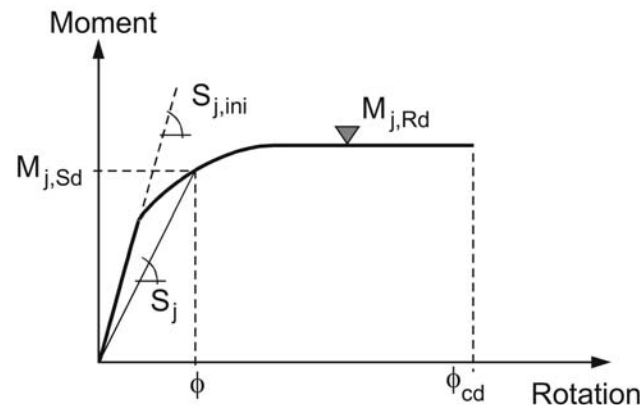


Klassifizierung nach der Steifigkeit

S_j = Anfangssteifigkeit



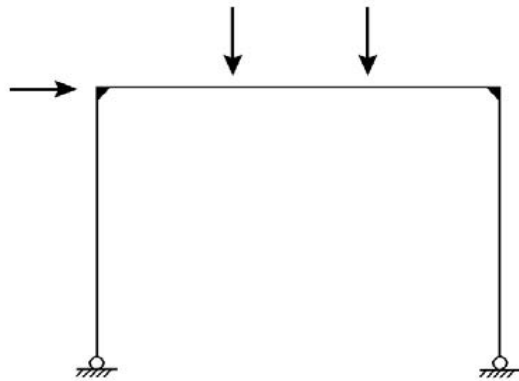
Momenten-Rotations-Charakteristik



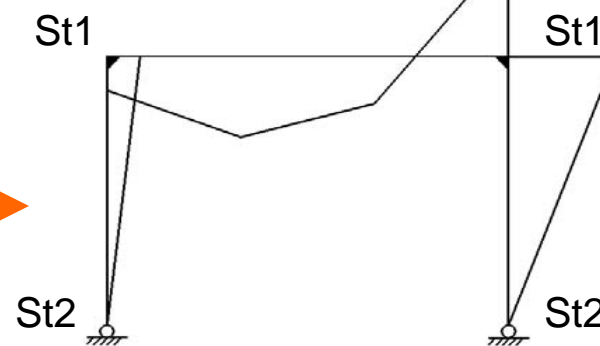
$M_{j,Rd}$ = Tragfähigkeit
 $S_{j,ini}$ = Anfangssteifigkeit
 S_j = Sekantensteifigkeit
 ϕ_{cd} = Rotationskapazität

1

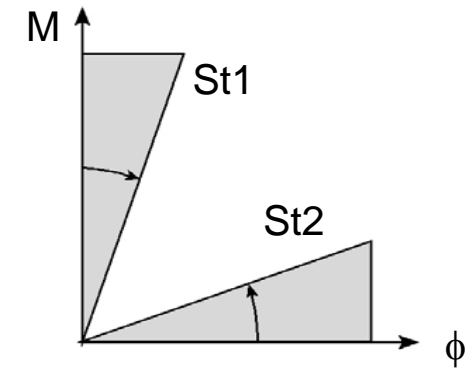
Structural system



Distribution of internal forces and moments

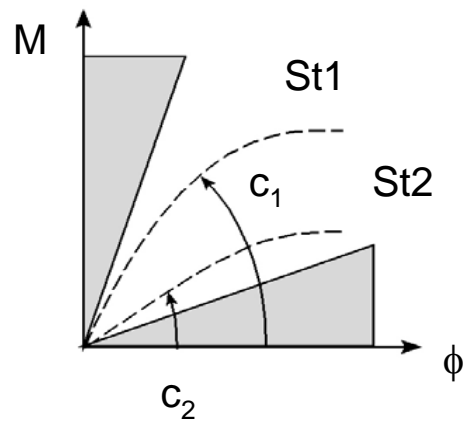


Optimised joint

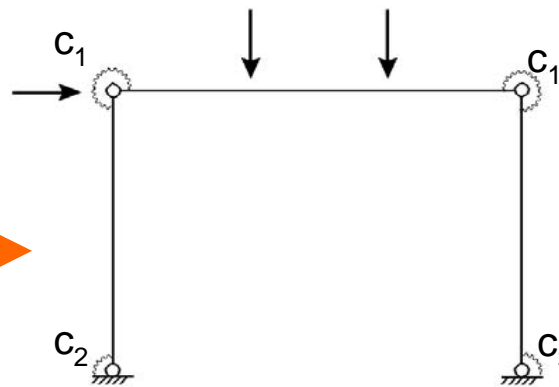


2

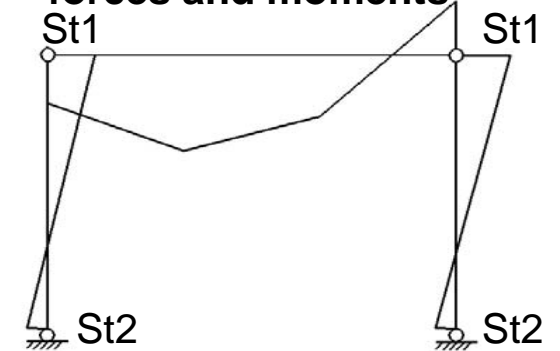
Optimised joint

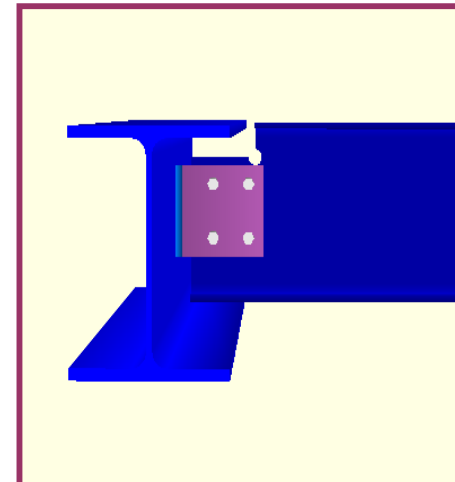
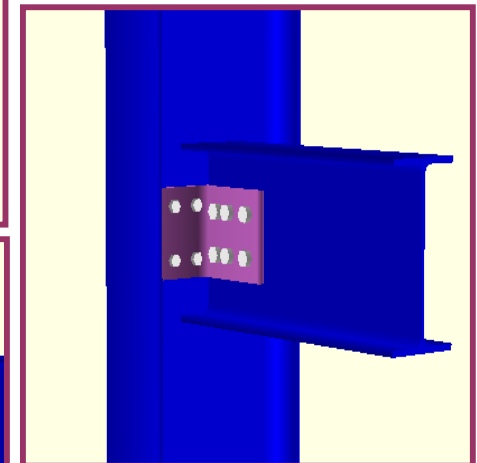
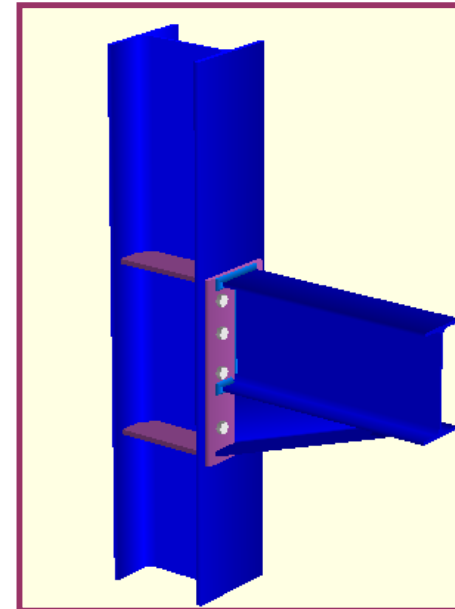
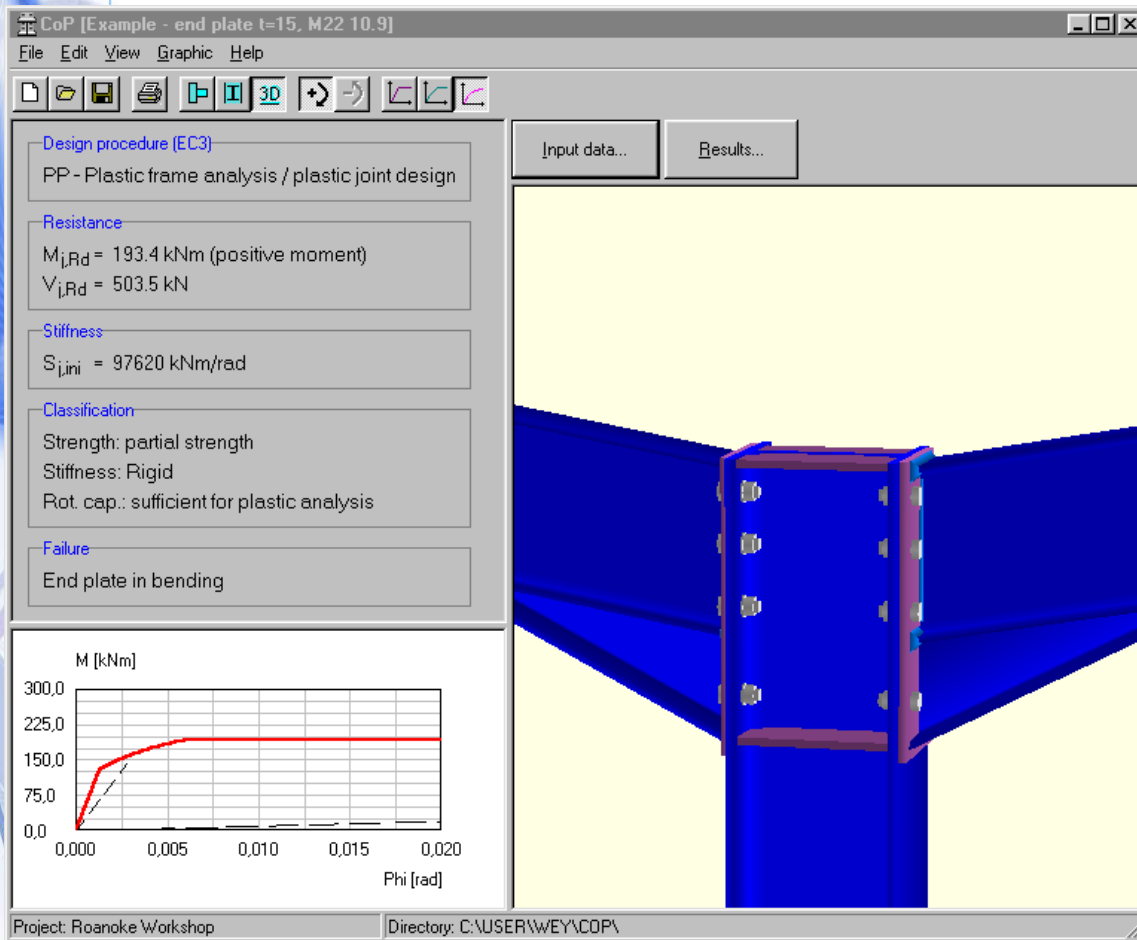


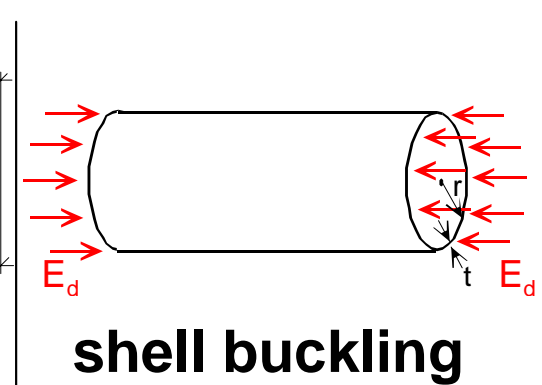
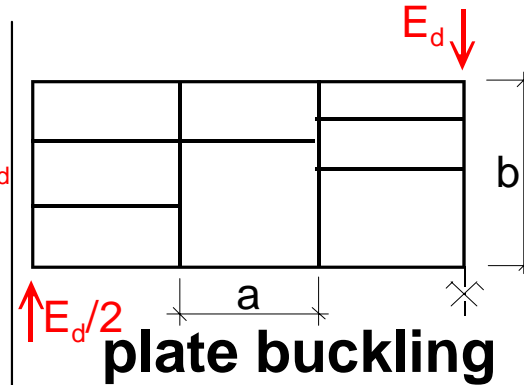
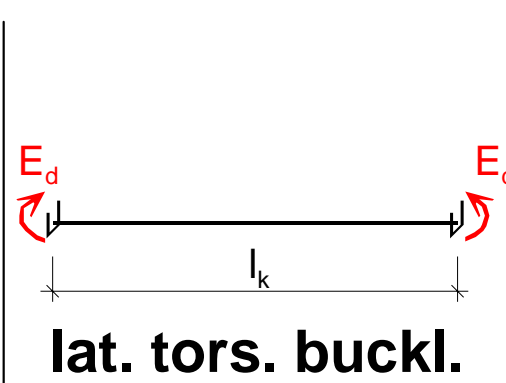
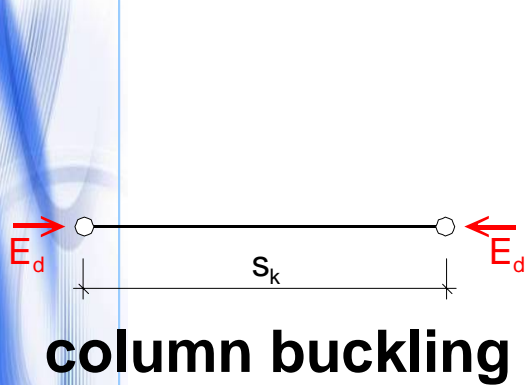
Structural system



Distribution of internal forces and moments





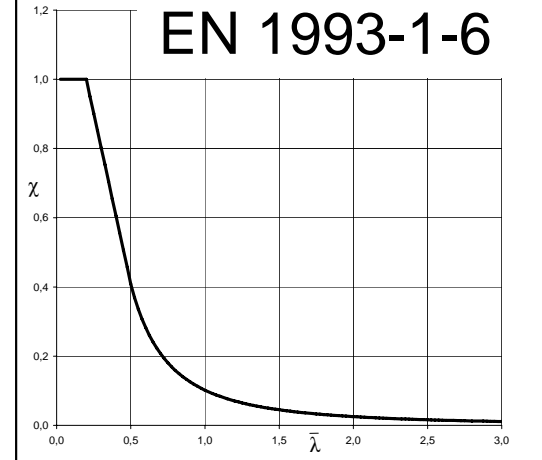
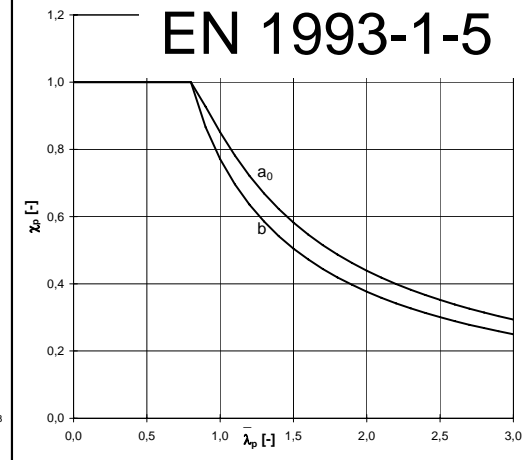
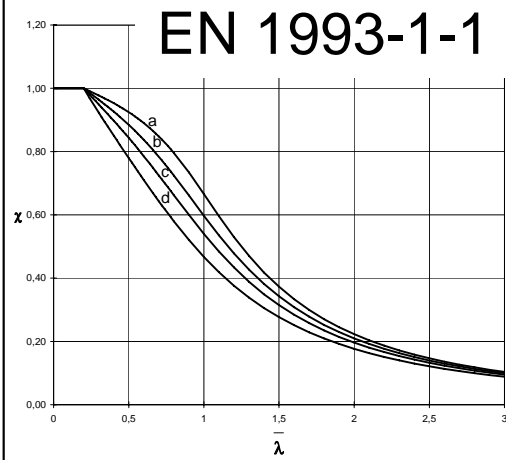
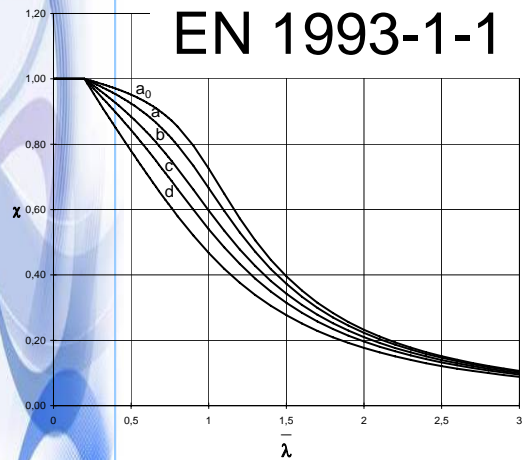


$$\alpha_{ult,k} E_d = R_k$$

$$\alpha_{crit} E_d = R_{crit}$$

$$\bar{\lambda} = \sqrt{\frac{R_k}{R_{crit}}} = \sqrt{\frac{\alpha_{ult,k}}{\alpha_{crit}}}$$

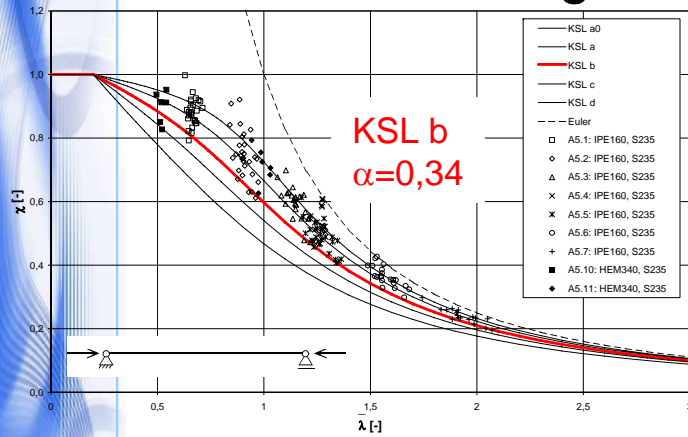
$$\chi = \chi(\bar{\lambda})$$



$$E_d \leq \frac{\chi R_k}{\gamma_M}$$

$$1 \leq \frac{\chi \alpha_{ult,k}}{\gamma_M}$$

Column buckling



Lateral torsional buckling

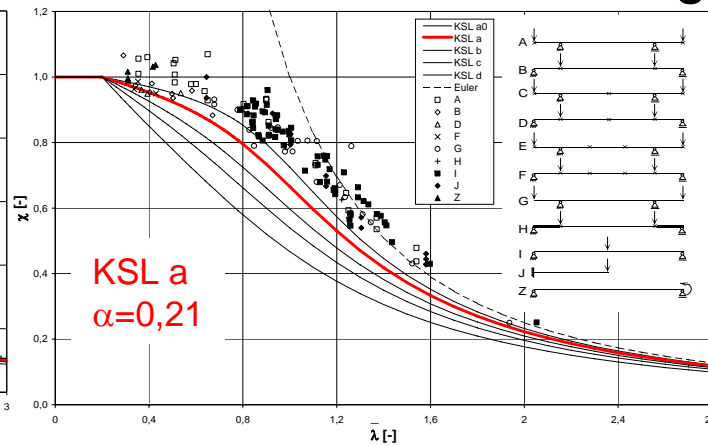
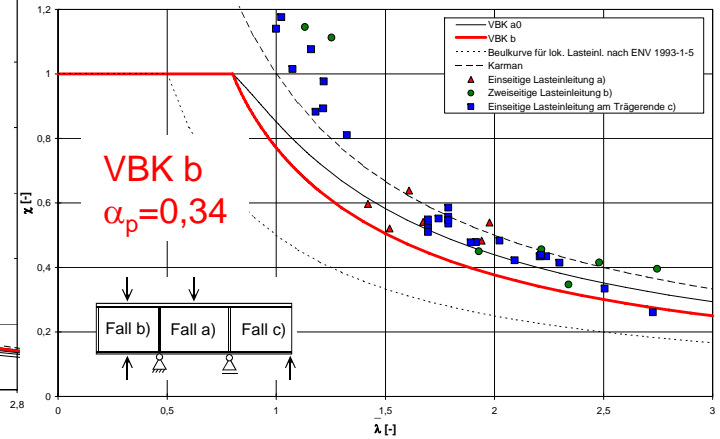


Plate buckling



Eingangsdaten		
$v_{tt} = 0,08$ (Geometrie und Streckgrenze)		
$v_{fy} = 0,07$ (Streckgrenze)		
Ergebnisse (log-Normalverteilung)		
$\bar{b} = 1,109$	$s_{\delta} = 0,077$	
$v_{\delta} = 0,0698$ (Modell)	$v_R = 0,1062$ (gesamt)	
$\gamma_M = 1,160$	$\Delta k = 0,935$	$\gamma_M^* = 1,085$

Eingangsdaten		
$v_{tt} = 0,08$ (Geometrie und Streckgrenze)		
$v_{fy} = 0,07$ (Streckgrenze)		
Ergebnisse (log-Normalverteilung)		
$\bar{b} = 1,185$	$s_{\delta} = 0,121$	
$v_{\delta} = 0,1024$ (Modell)	$v_R = 0,1300$ (gesamt)	
$\gamma_M = 1,199$	$\Delta k = 0,912$	$\gamma_M^* = 1,094$

Eingangsdaten		
$v_{tt} = 0,08$ (Geometrie und Streckgrenze)		
$v_{fy} = 0,07$ (Streckgrenze)		
Ergebnisse (log-Normalverteilung)		
$\bar{b} = 1,305$	$s_{\delta} = 0,168$	
$v_{\delta} = 0,1291$ (Modell)	$v_R = 0,1519$ (gesamt)	
$\gamma_M = 1,235$	$\Delta k = 0,861$	$\gamma_M^* = 1,064$

Column buckling

$$\frac{N_{Ed}}{N_{pl,Rk}} + \frac{M_{Ed}}{M_{y,Rk}} = 1$$

$$\frac{N_{Ed}}{N_{pl,Rk}} + \frac{N_{Ed} e^*}{M_{y,Rk}} \frac{1}{1 - \frac{N_{Ed}}{N_{crit}}} = 1$$

$$e^* = \alpha \left(\bar{\lambda}_N - 0,2 \right) \frac{M_{y,Rk}}{N_{pl,Rk}}$$

$$\chi_N + \chi_N \frac{\alpha}{\alpha} \left(\bar{\lambda}_N - 0,2 \right) \frac{1}{1 - \chi_N \bar{\lambda}_N^{-2}} = 1$$

Lateral torsional buckling

$$\frac{N_{Ed}^{FI}}{N_{pl,Rk}^{FI}} + \frac{M_{y,Ed}^{FI}}{M_{y,Rk}^{FI}} = 1$$

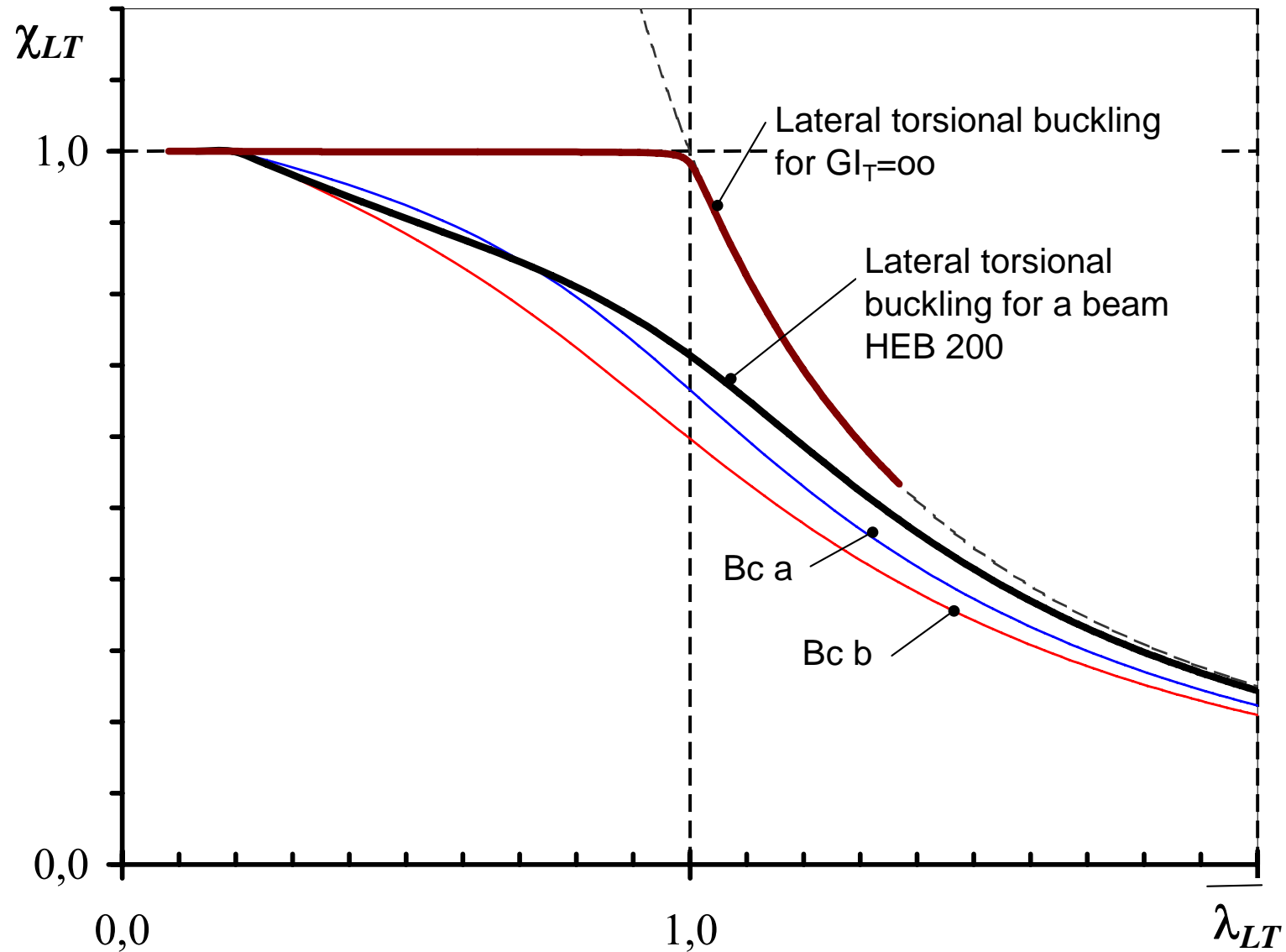
$$\frac{M_{z,Ed}}{M_{z,Rk}} + \frac{M_{z,Ed}}{M_{z,crit}} \frac{N_{crit}^{FI}}{M_{y,Rk}^{FI}} e^* \frac{1}{1 - \frac{M_{z,Ed}}{M_{z,crit}}} = 1$$

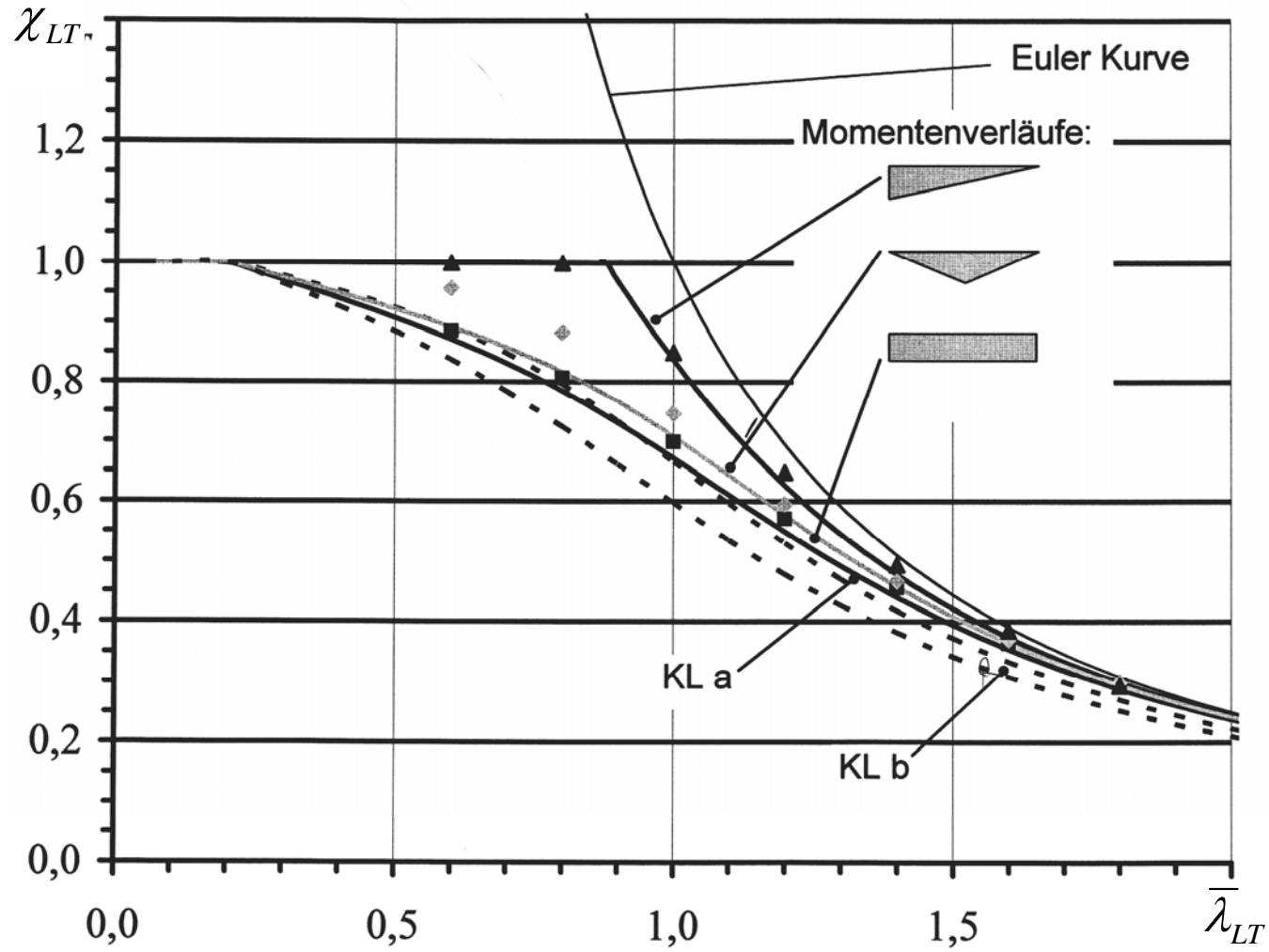
$$e^* = \alpha \left(\bar{\lambda}_M - 0,2 \right) \frac{M_{y,Rk}^{FI}}{N_{pl,Rk}^{FI}}$$

$$\chi_M + \chi_M \frac{\alpha}{\alpha} \frac{\bar{\lambda}_M^{-2}}{\lambda_{FI}} \left(\bar{\lambda}_M - 0,2 \right) \frac{1}{1 - \chi_M \bar{\lambda}_M^{-2}} = 1$$

$$\chi = \frac{1}{\varphi + \sqrt{\varphi^2 - \bar{\lambda}^{-2}}}$$

$$\varphi = 0,5 \left(1 + \alpha \left(\bar{\lambda} - 0,2 \right) + \bar{\lambda}^2 \right)$$



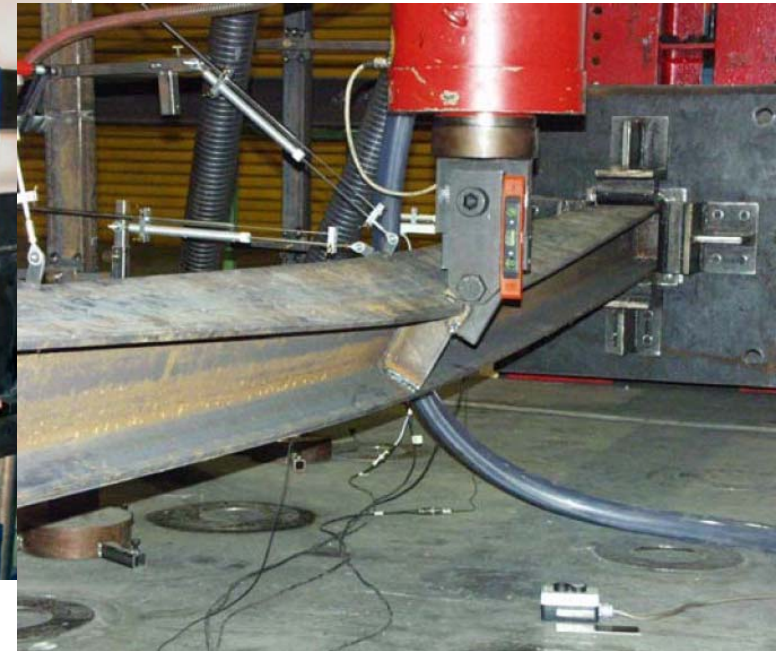




**Experiments
in Aachen**



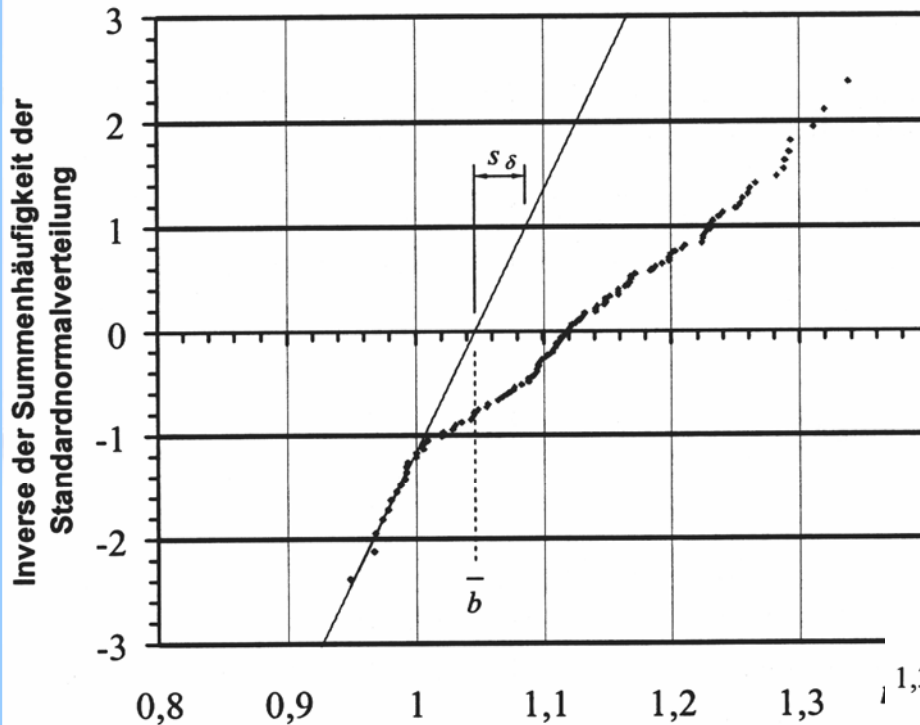
Experiments in Berlin



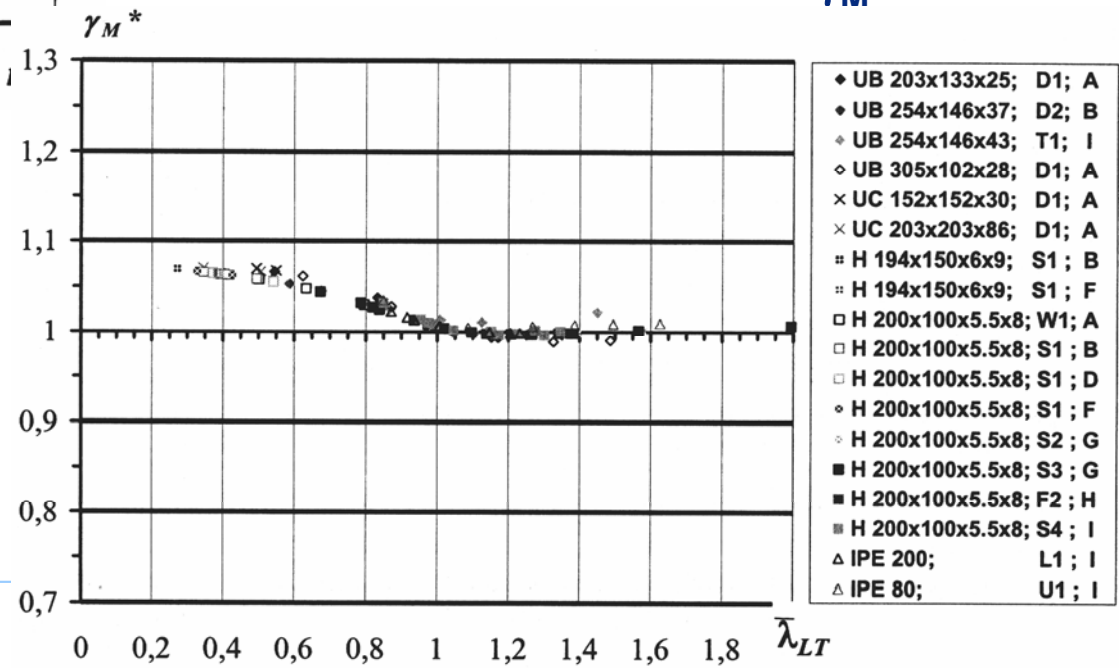
Experiments in Bochum

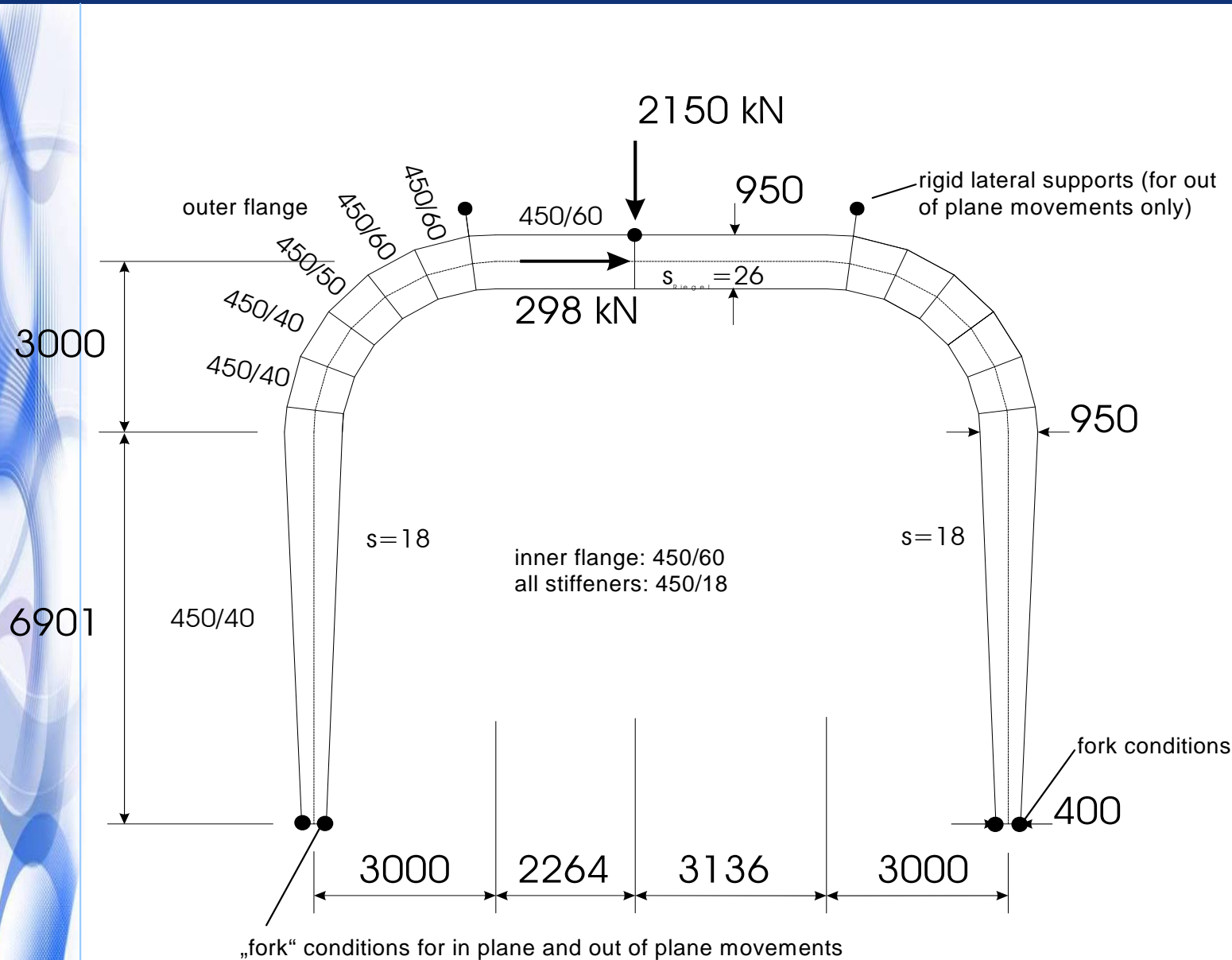


Test evaluation acc. to EN 1990-Annex D



Determination of γ_M -factors





Results of FEM

$$\alpha_{crit} = 3,41$$

$$\alpha_{ult,k} = 1,69$$

Slenderness ratio

$$\bar{\lambda} = \sqrt{\frac{\alpha_{ult,k}}{\alpha_{crit}}} = \sqrt{\frac{1,69}{3,41}} = 0,70$$

$$\chi_{LT} = 0,725$$

Verification

$$\chi \alpha_{ult,k} \geq \gamma_{M1}$$

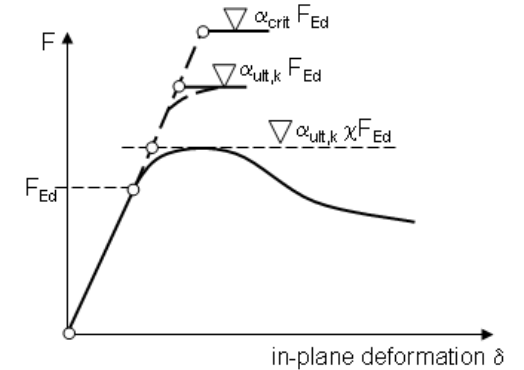
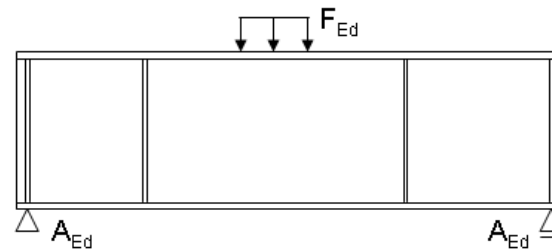
$$0,725 \times 1,69 = 1,11 > 1,10$$

Verification of a full member or of various parts of a full member

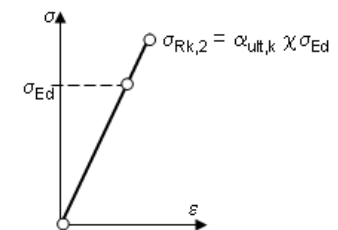
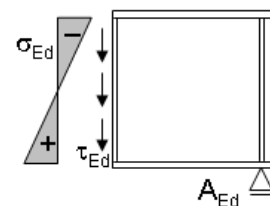
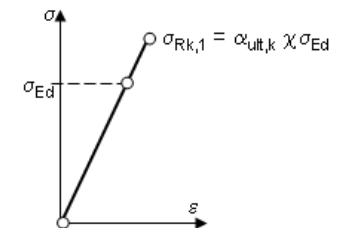
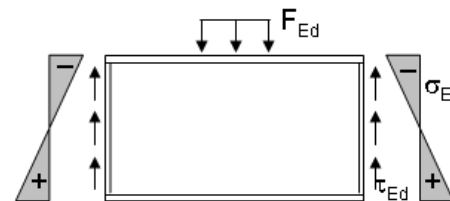
$$\bar{\lambda} = \sqrt{\frac{R_k}{R_{cr}}} = \sqrt{\frac{\alpha_{ult,k,Ed}}{\alpha_{cr,Ed}}} = \sqrt{\frac{\alpha_{ult,k}}{\alpha_{cr}}}$$

$$\chi = \chi(\bar{\lambda})$$

a) Full member

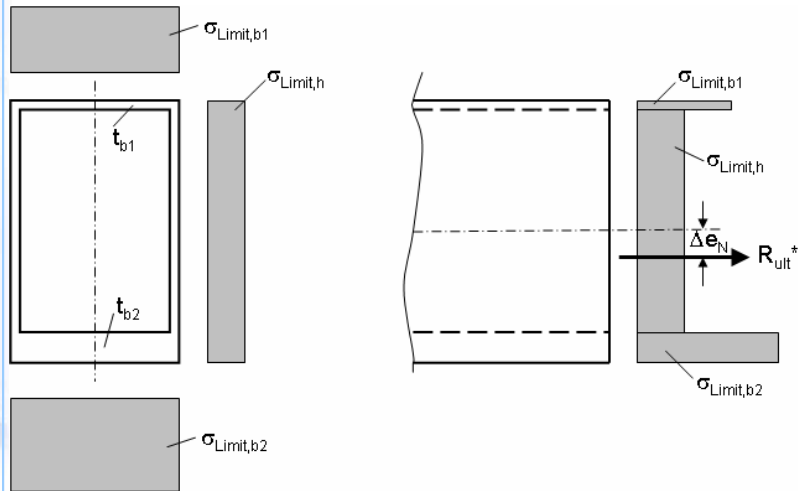


b) Several plate field assemblies of full members

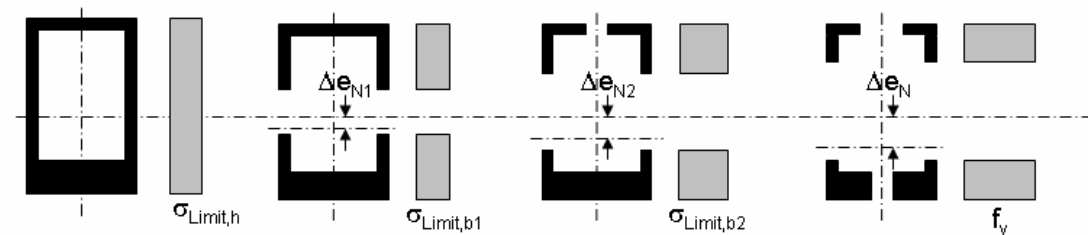
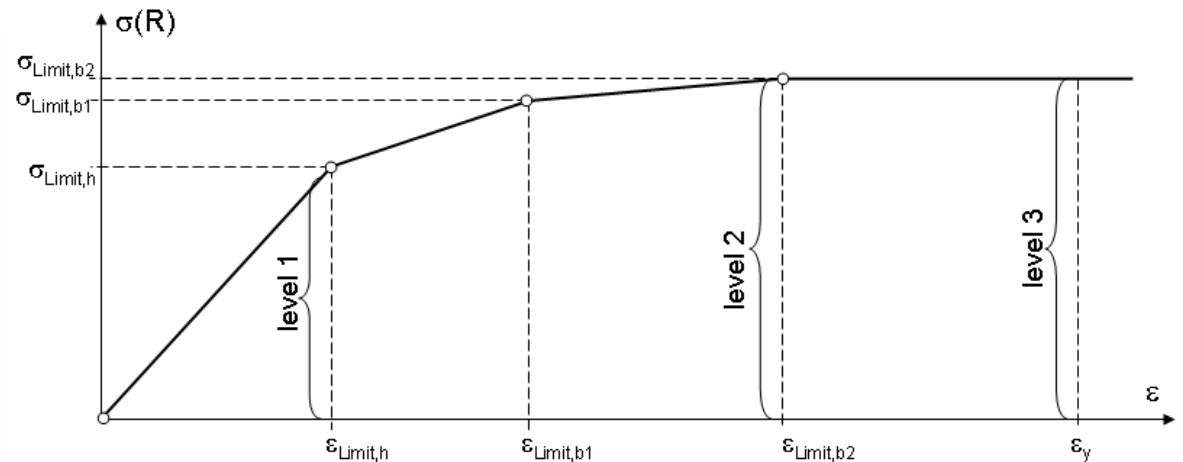


$$\sigma_{Rk} = \text{Min} [\sigma_{Rk,1} ; \sigma_{Rk,2}]$$

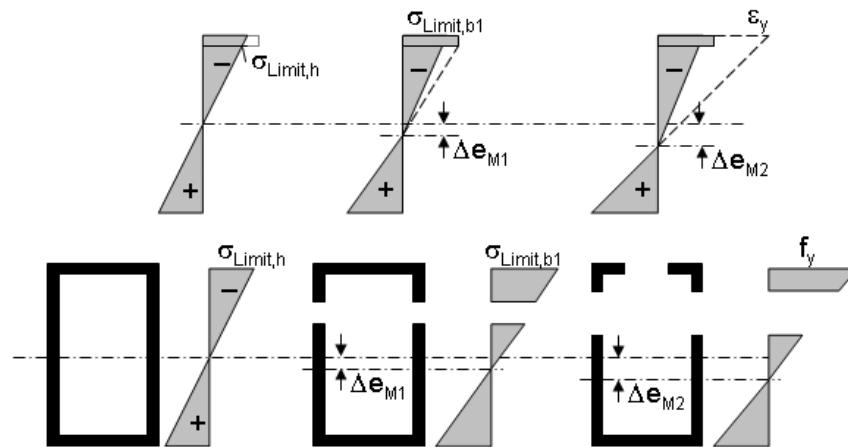
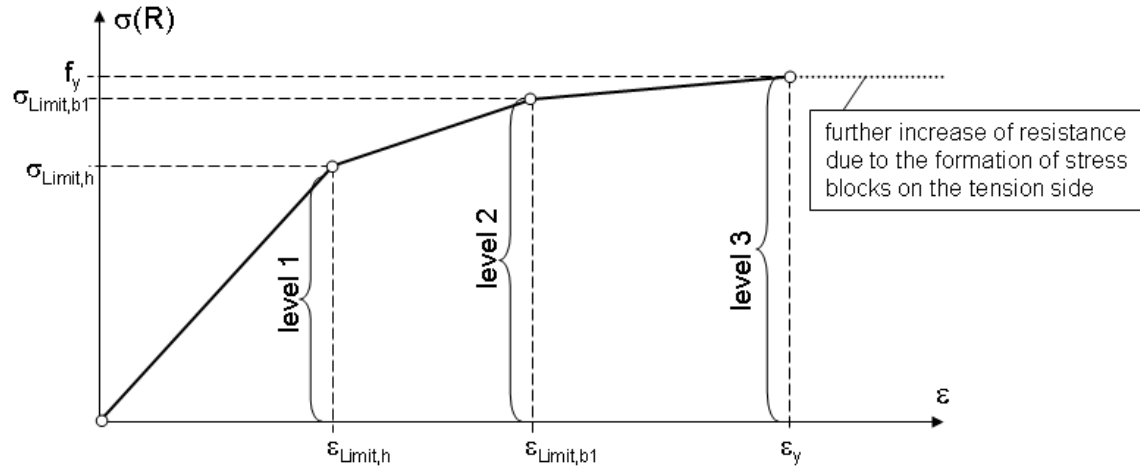
Stress limits



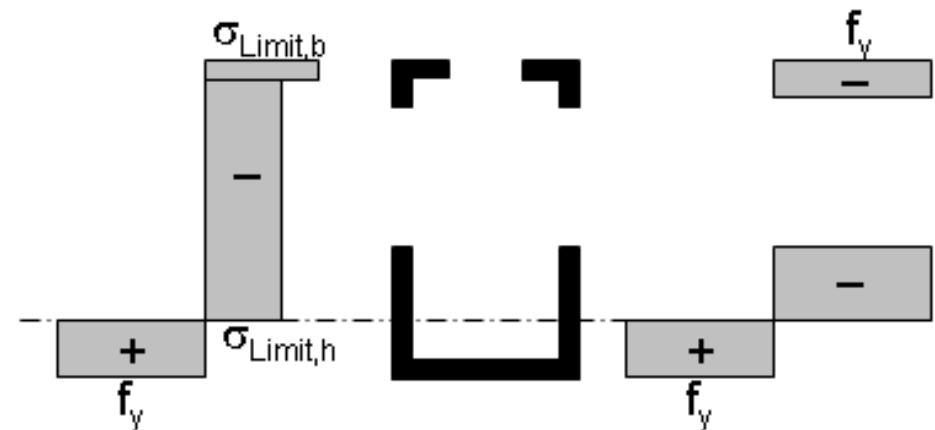
Effective widths



Small compression strains



Large compression strains



Safety evaluation for all tests on plated structures examined

Input data					
$v_{rt} = 0,08$ (geometry und yield strength)					
$v_{fy} = 0,07$ (yield strength)					
Results					
Standardnormal distribution			log-normal distribution		
$\bar{b} = 1,195$		$s_{\delta} = 0,106$		$\bar{b} = 1,221$	
$v_{\delta} = 0,0888$ (model)		$v_R = 0,1196$ (total)		$v_{\delta} = 0,1065$ (model)	
$\gamma_M = 1,263$	$\Delta k = 0,890$	$\gamma_M^* = 1,123$	$\gamma_M = 1,204$	$\Delta k = 0,890$	$\gamma_M^* = \mathbf{1,072}$



ECCS – New tasks – Responsibilities and activities

	Maintanance	Harmonisation	Promotion	Further development
<u>Responsibilities</u>				
Leading org. Support from	CEN / TC 250 JRC	Commission/JRC CEN / TC 250	Commission/JRC CEN / TC 250	CEN / TC 250 JRC
<u>Activities</u>				
Information	Member States Nat. Auth. / NSBs	Member States Nat. Auth. / NSBs	Member States Nat. Auth. / NSBs	Member States Nat. Auth. / NSBs
Realisation	CEN / TC 250	Commission/JRC	Commission/JRC	CEN / TC 250 Europ. Techn. Scient. Org.

CEN / TC 250 – Evolution Paper

1. **Envolvement in reaction to problems of use of ECs**
⇒ Background informations to National and CEN help desks
 2. **Envolvement in mechanism for convergence of NDPs**
⇒ Background informations to JRC information platform
 3. **Envolvement in promotion**
⇒ Technical guidance, design aids, seminars, workshops
 4. **Envolvement in further developments:**
⇒ starter drafts + background documents for
 - extension of EN-Eurocodes to the assessment and refurbishment of existing buildings and engineering structures
 - new Eurocodes for new materials as glass and FRP
 - reduction of alternative methods by developing a unique European solution
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- unified testing procedures
 - rules for zinc coating
 - new materials for composite actions
 - pedestrian bridges



Tribunal de Grande Instance (TGI) de Bordeaux







